

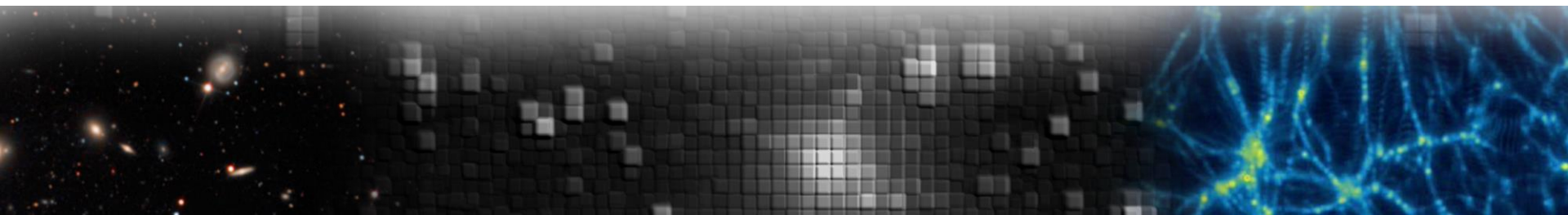
Revealing the Local Cosmic Web from Galaxies by Deep Learning

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with Donghui Jeong (PSU), Ho Seong Hwang (SNU) & Juhan Kim (KIAS)

@ Yonsei Lab for Dark Universe Special Lectures

Mar. 30th, 2021



Right ascension

Gott+ (2005)

Distance : ~310 Mpc

Length : ~419 Mpc

Sloan Great Wall

11243 galaxies

CfA2 Great Wall

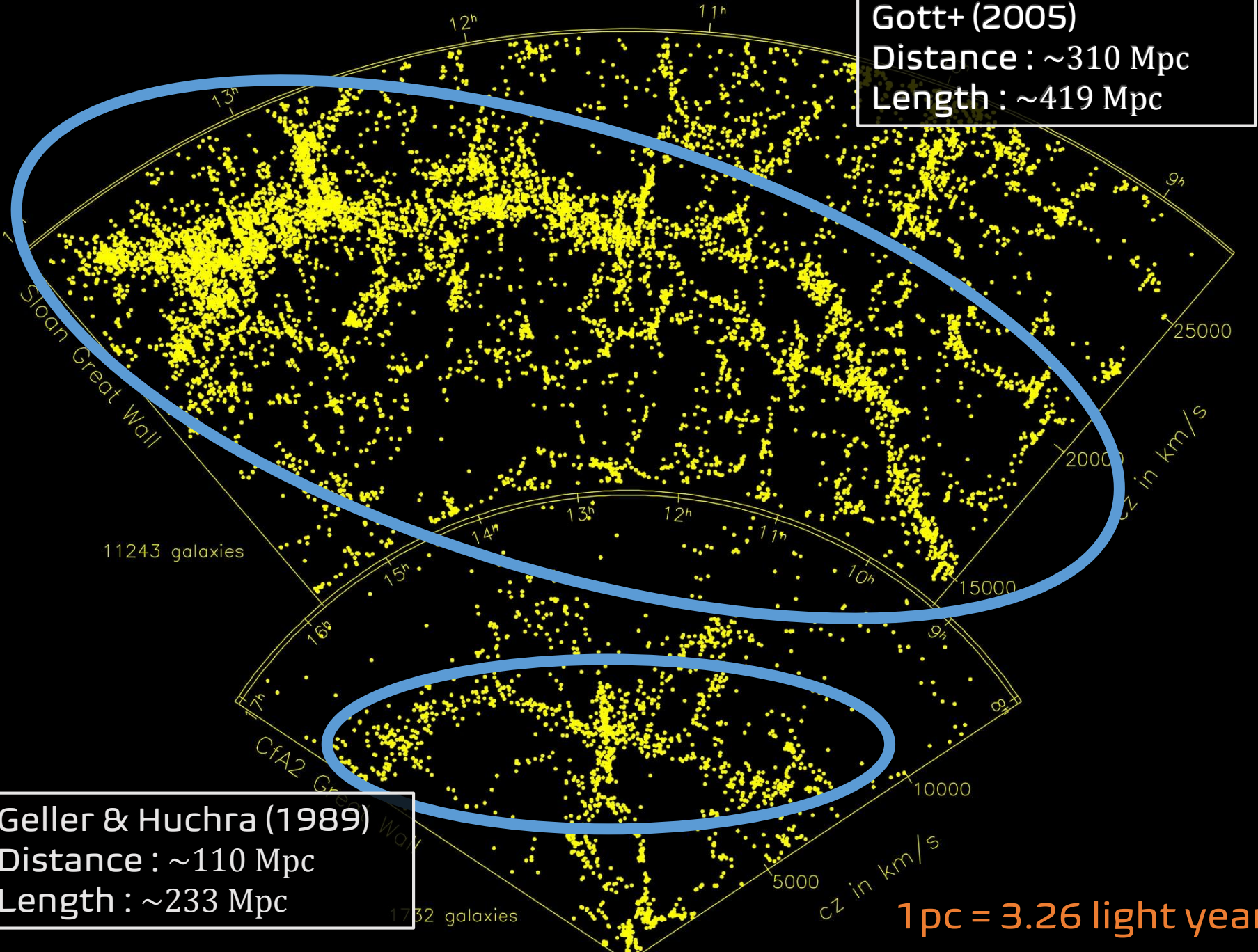
Geller & Huchra (1989)

Distance : ~110 Mpc

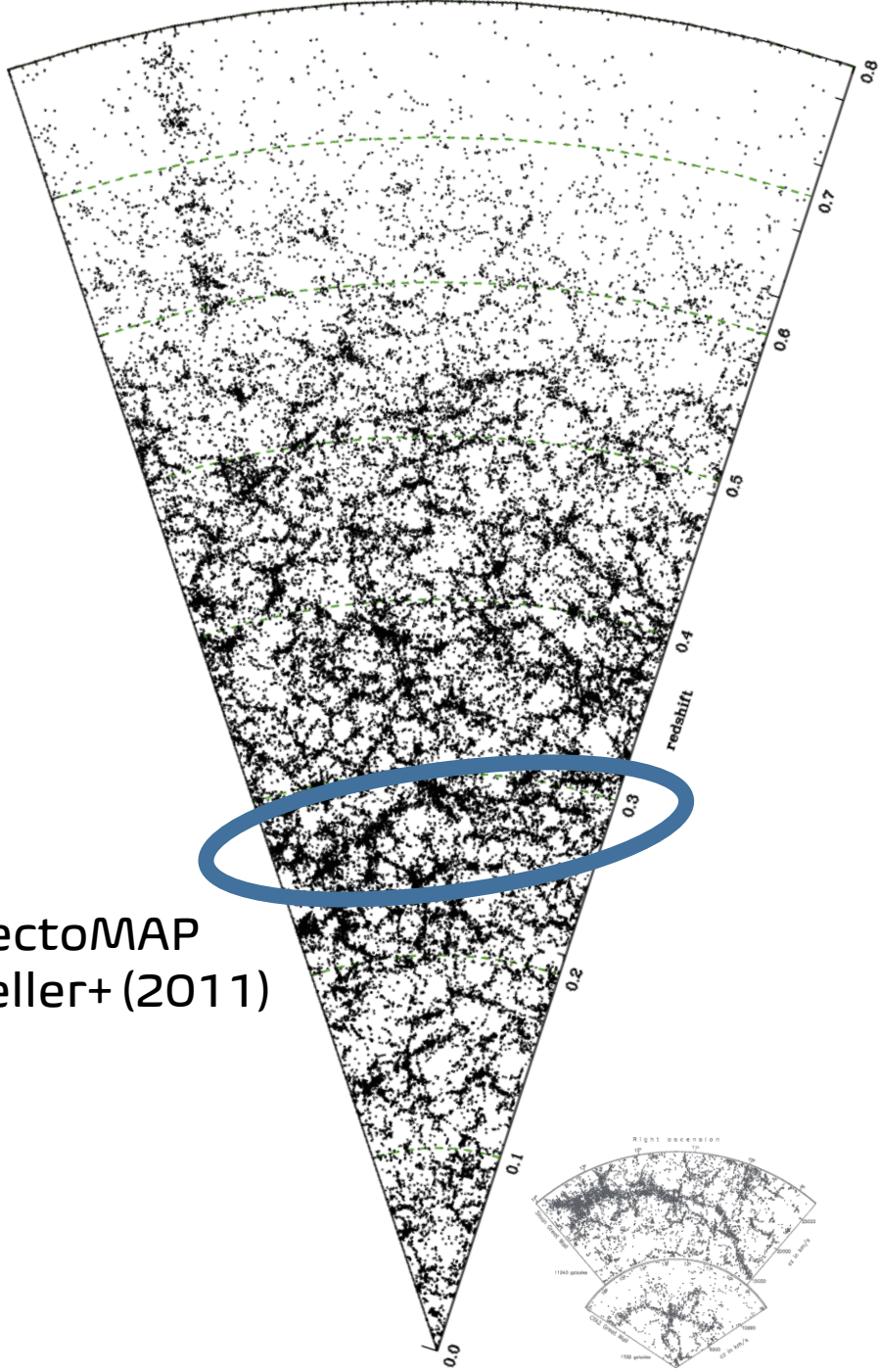
Length : ~233 Mpc

1732 galaxies

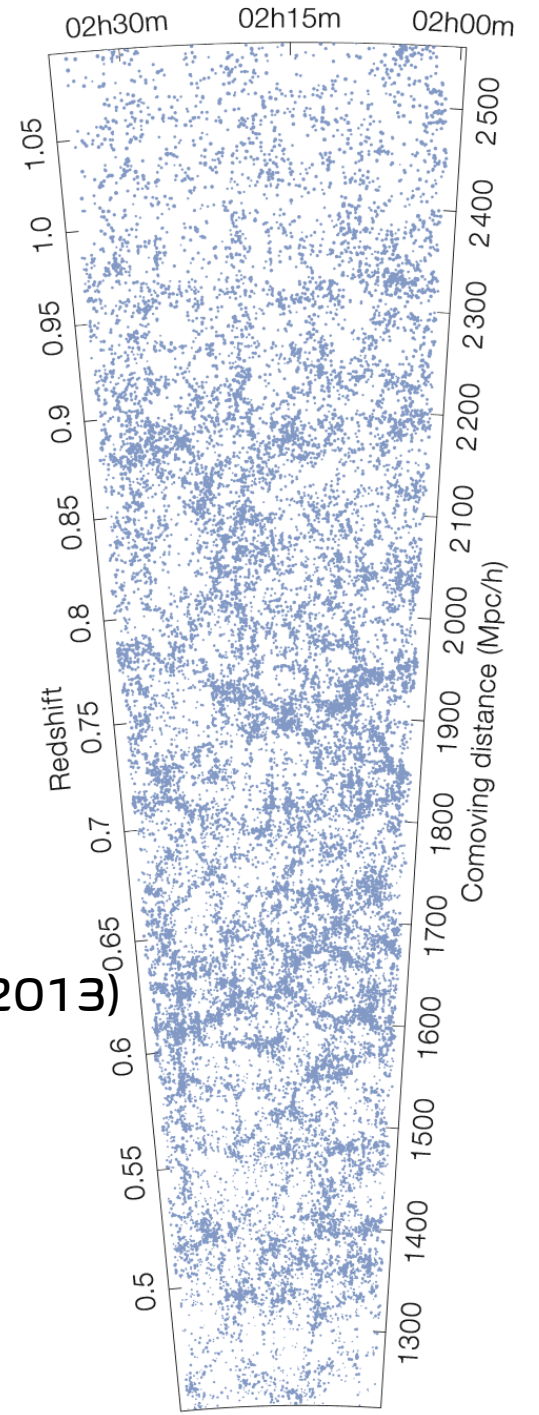
1 pc = 3.26 light year



HectoMAP
Geller+ (2011)



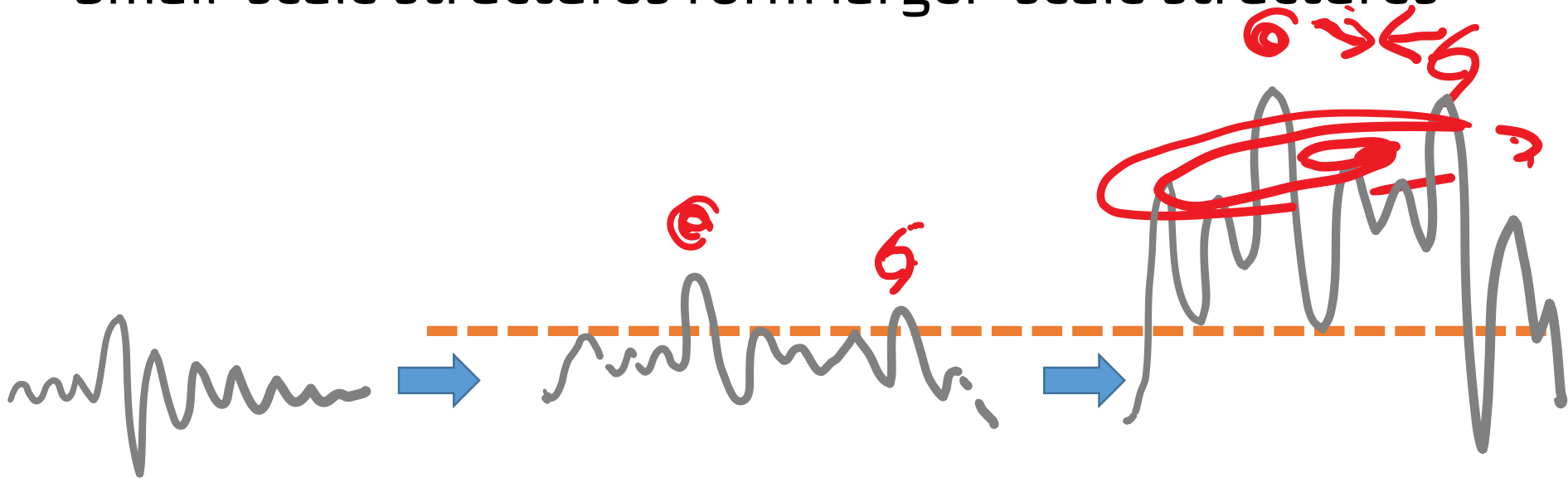
VIPERS
Guzzo+ (2013)

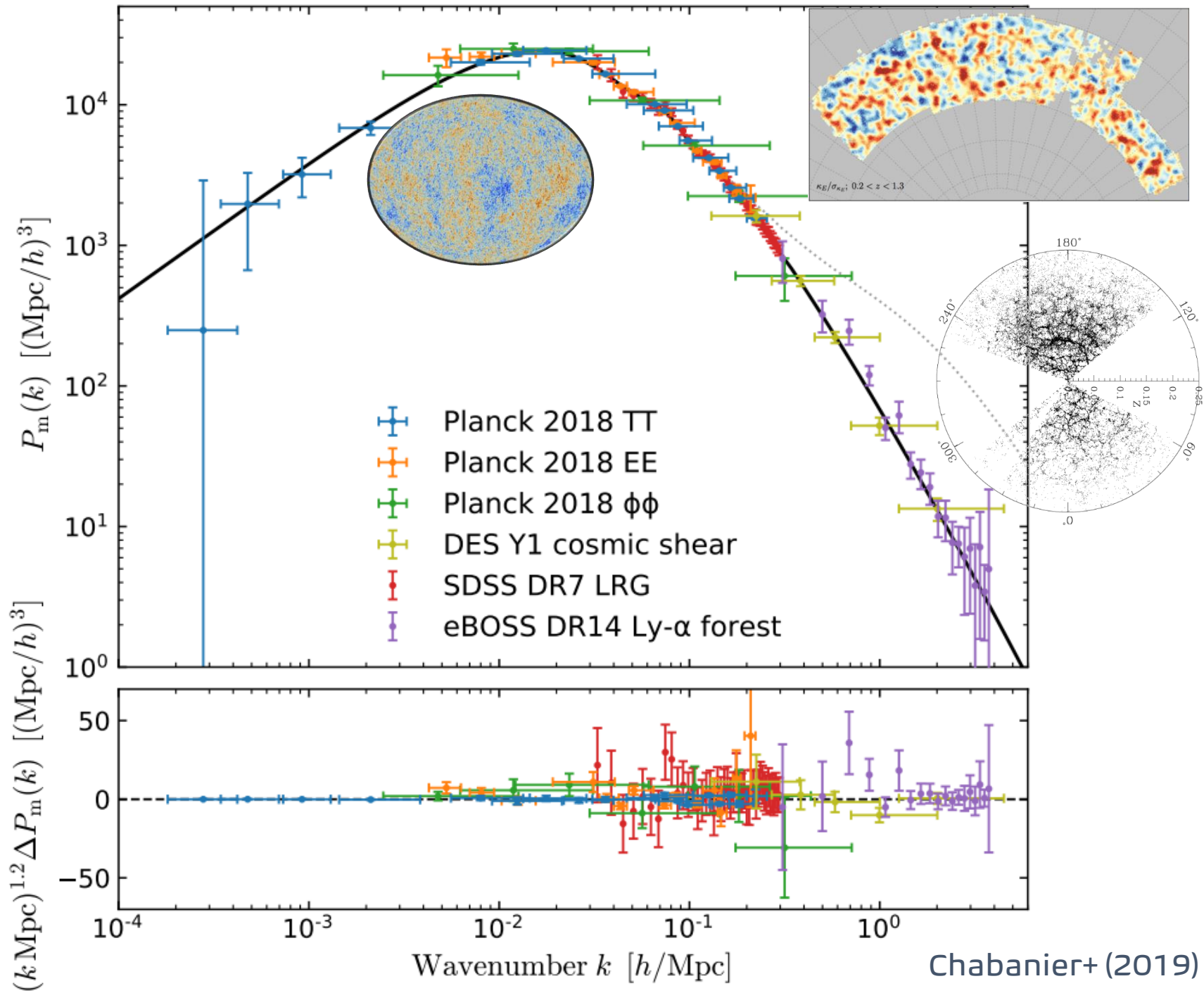


$$\delta T / T \sim 10^{-5}$$
$$@ z \sim 1,100$$

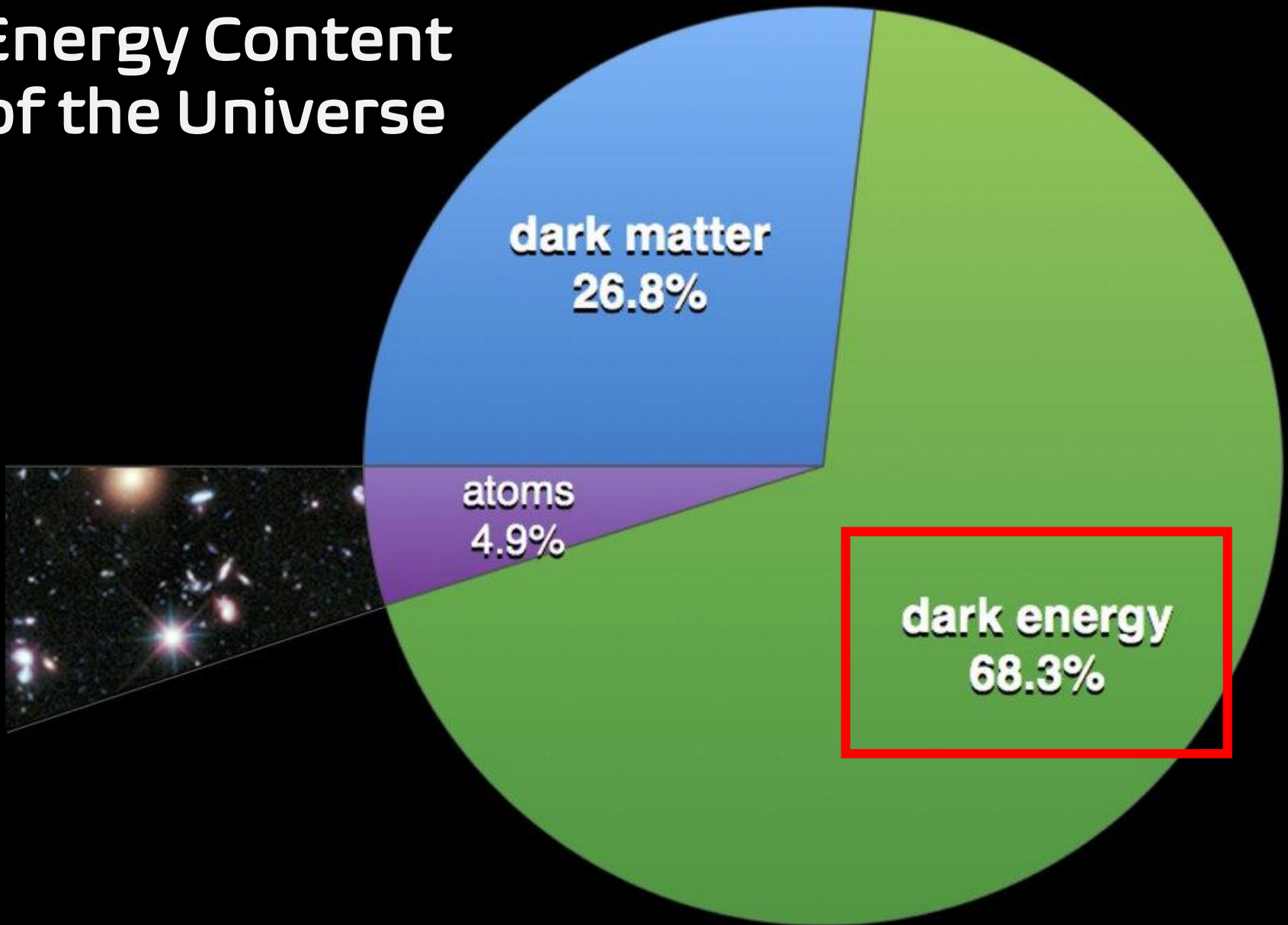
Formation of Large-Scale Structures

- Gravity + Cosmic Expansion
→ Dense becomes denser, sparse becomes more sparse
- Once density is greater than a certain threshold, matter will gravitational collapse irrespective to the cosmic expansion
- Small-scale structures form larger-scale structures

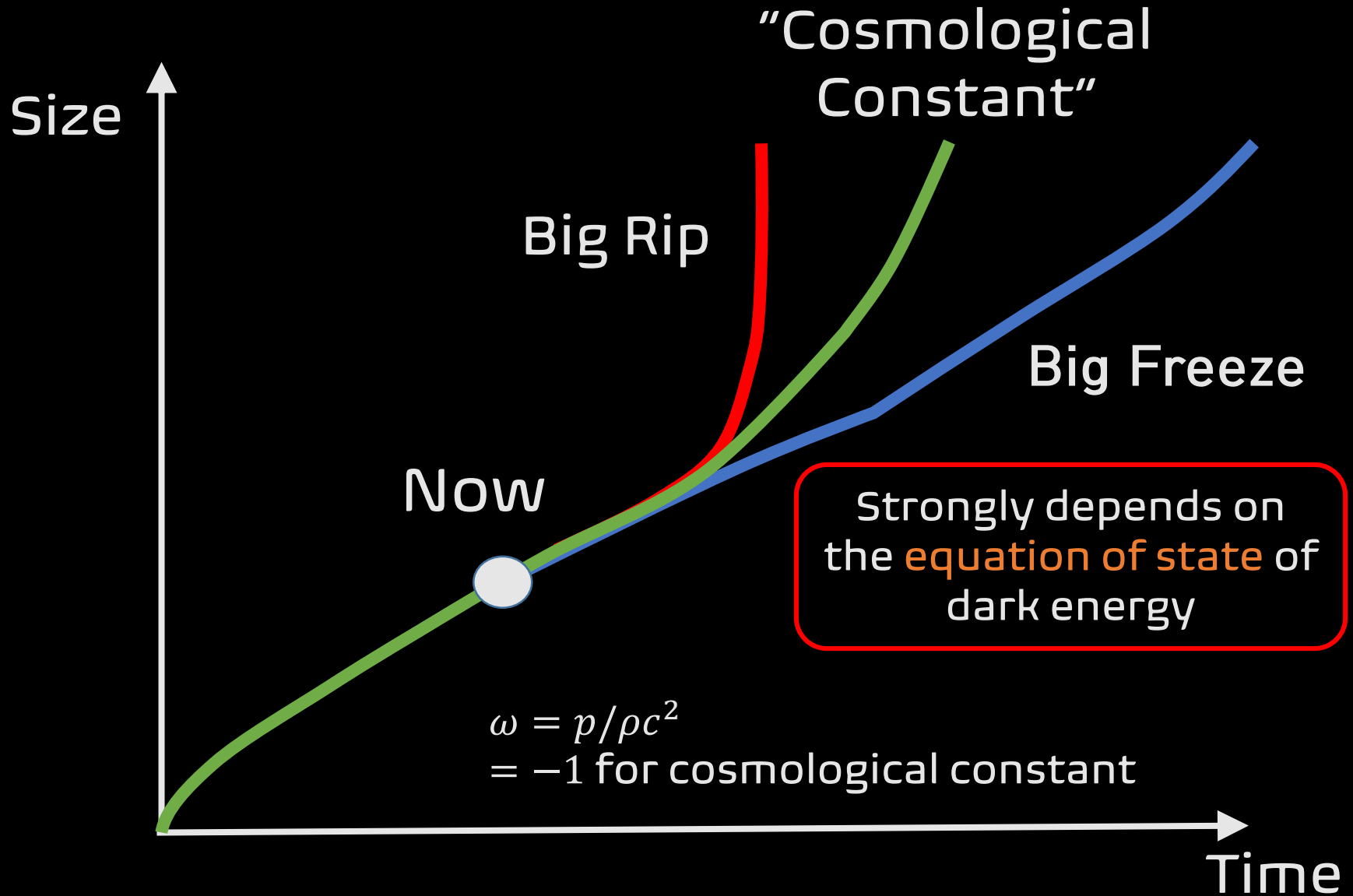


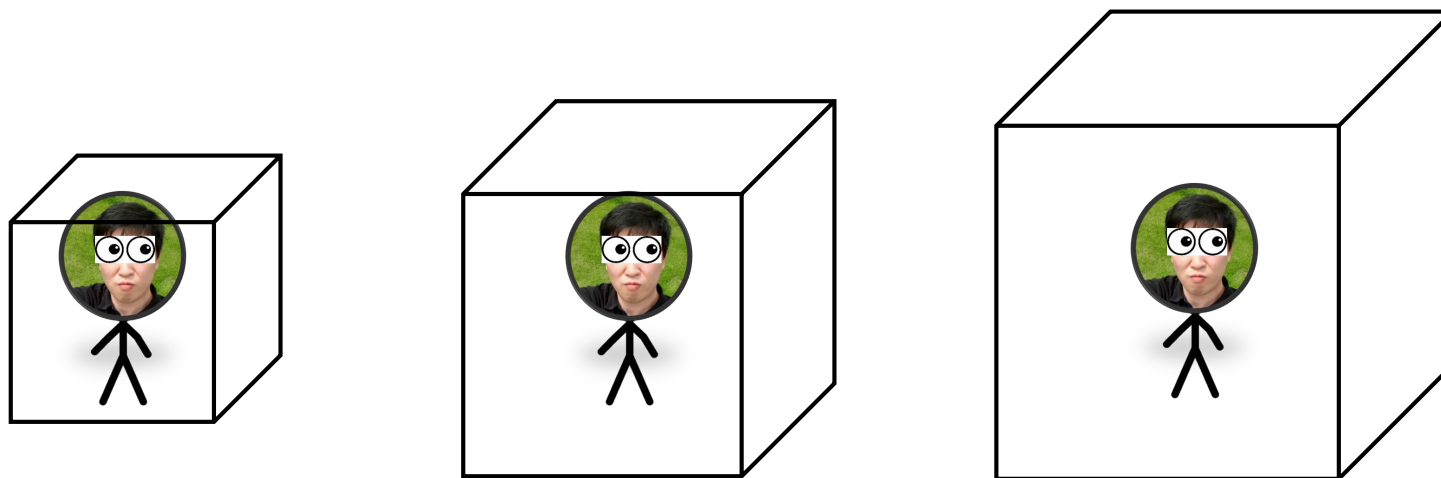


Energy Content of the Universe



Fate of the Universe

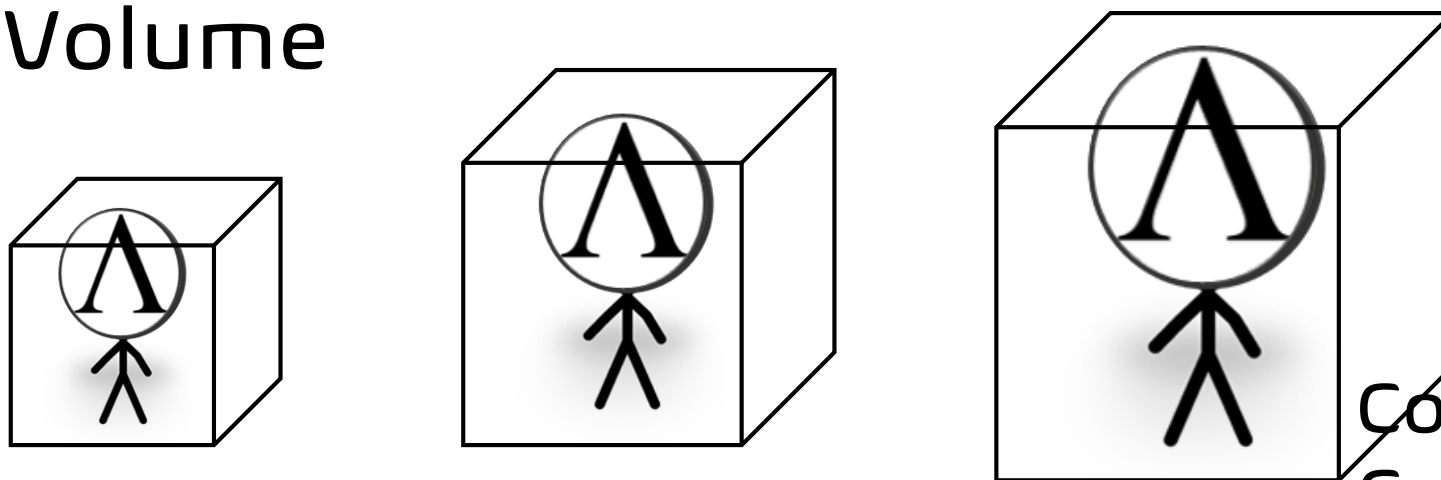




Matter:
Density ↓

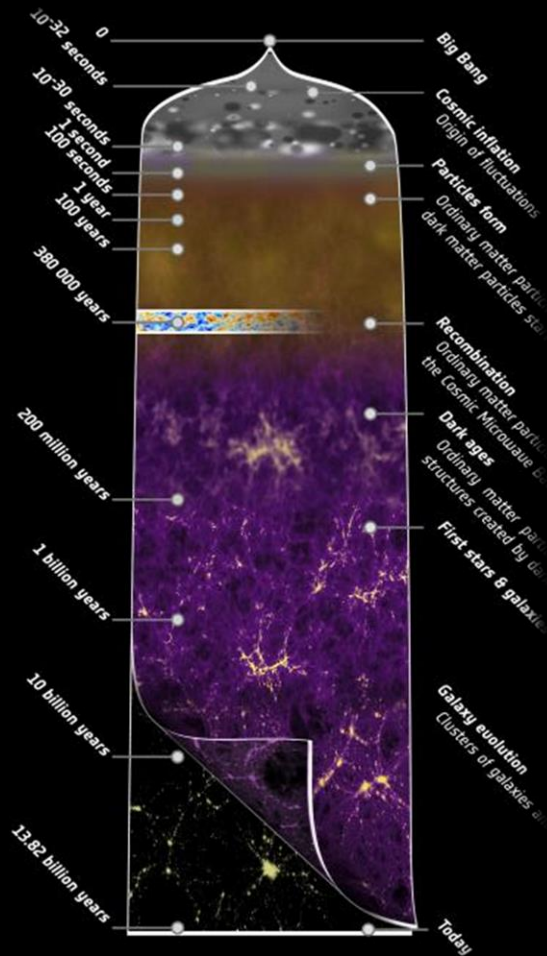


Volume

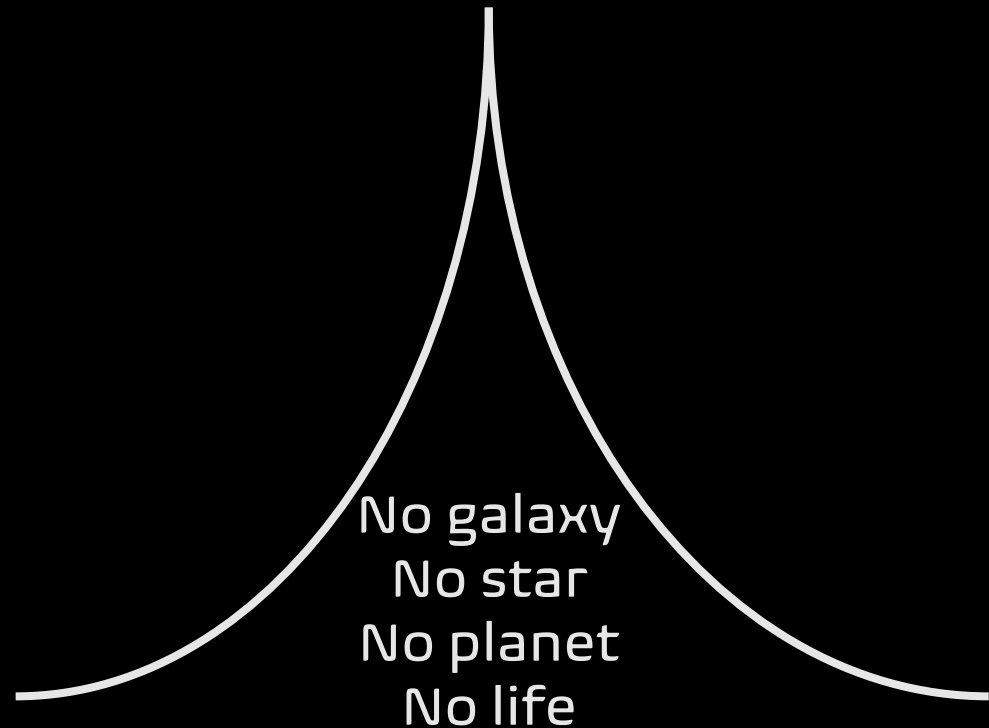


Cosmological
Constant:
Same Density

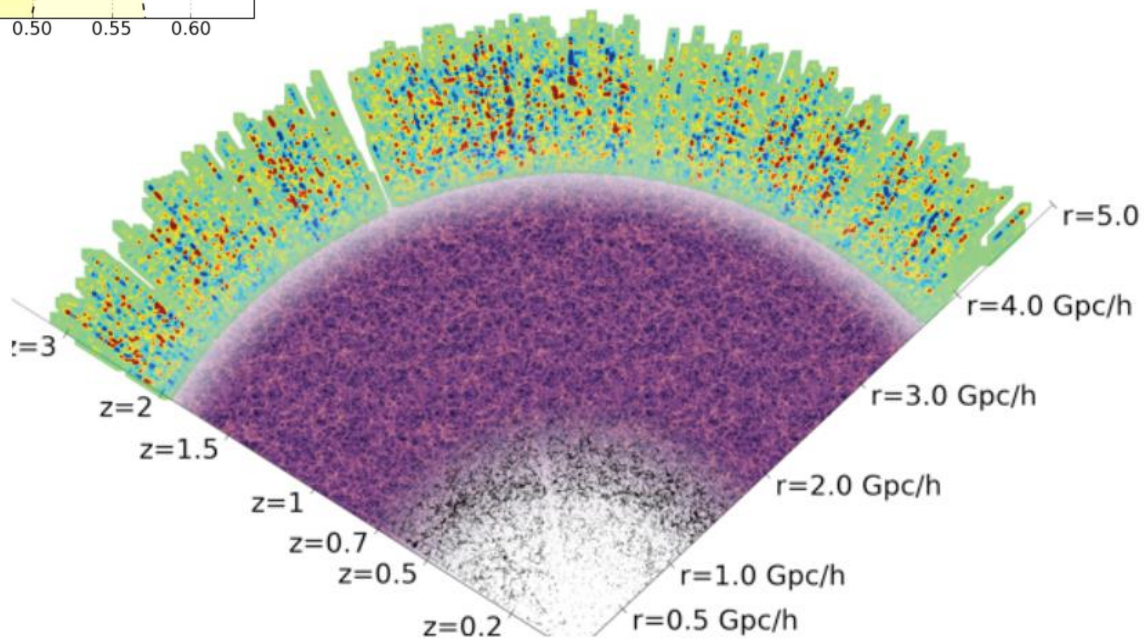
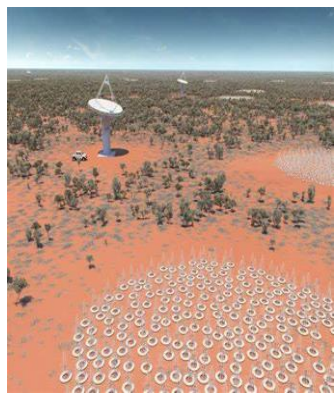
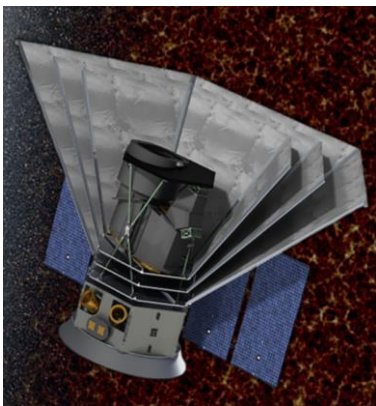
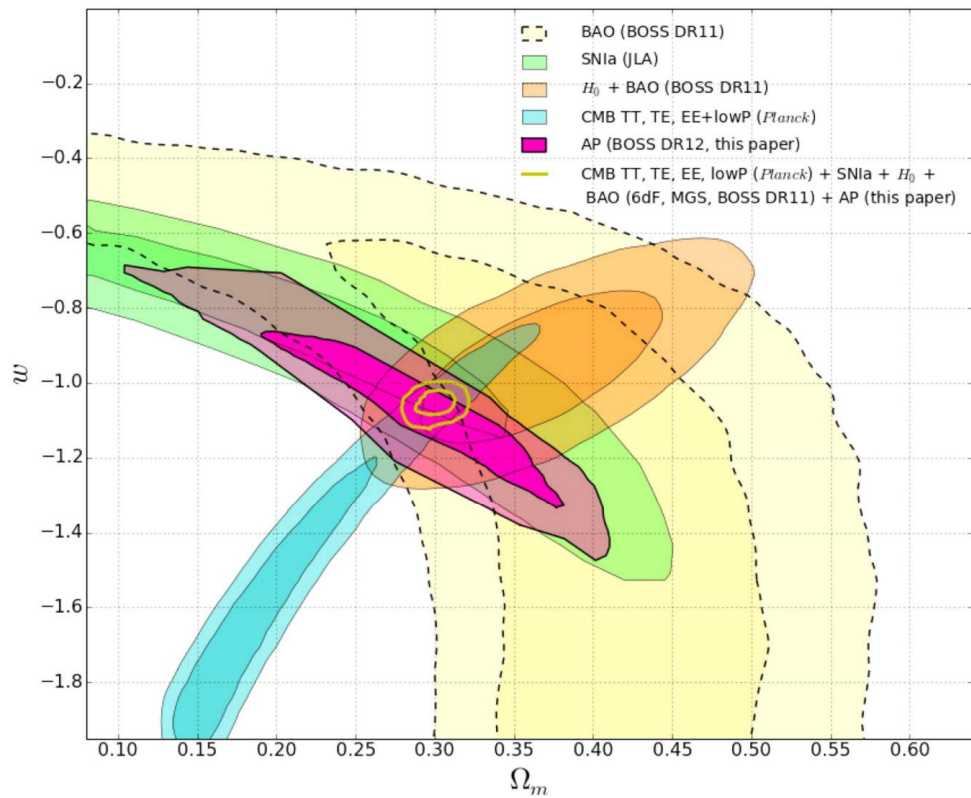
Observed cosmological constant $\sim 10^{-120}$ of theoretical expectation



Cosmological constant
with observed value



Cosmological constant
with theoretical expectation



Hubble's Law?



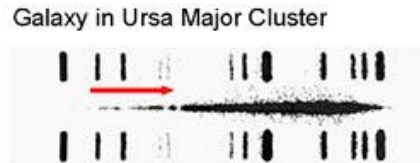
$v = -200$ km/s



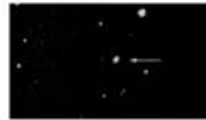
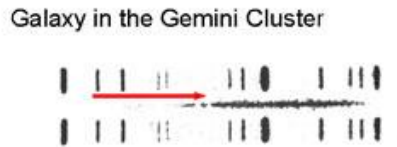
$v = +2,300$ km/s



$v = +5,500$ km/s



$v = +15,400$ km/s



$v = +23,000$ km/s

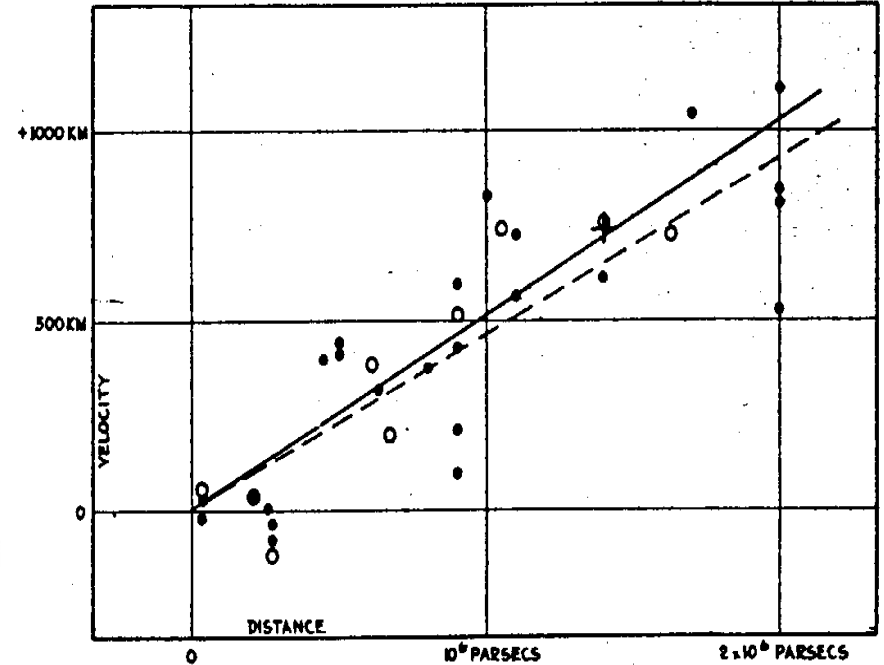


FIGURE 1



Lemaitre (1927)

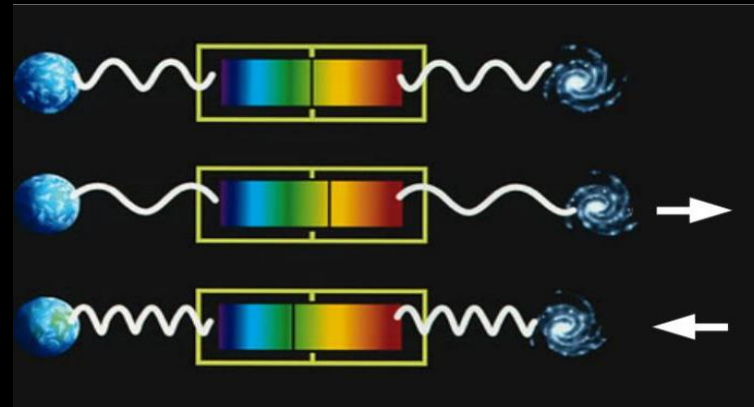


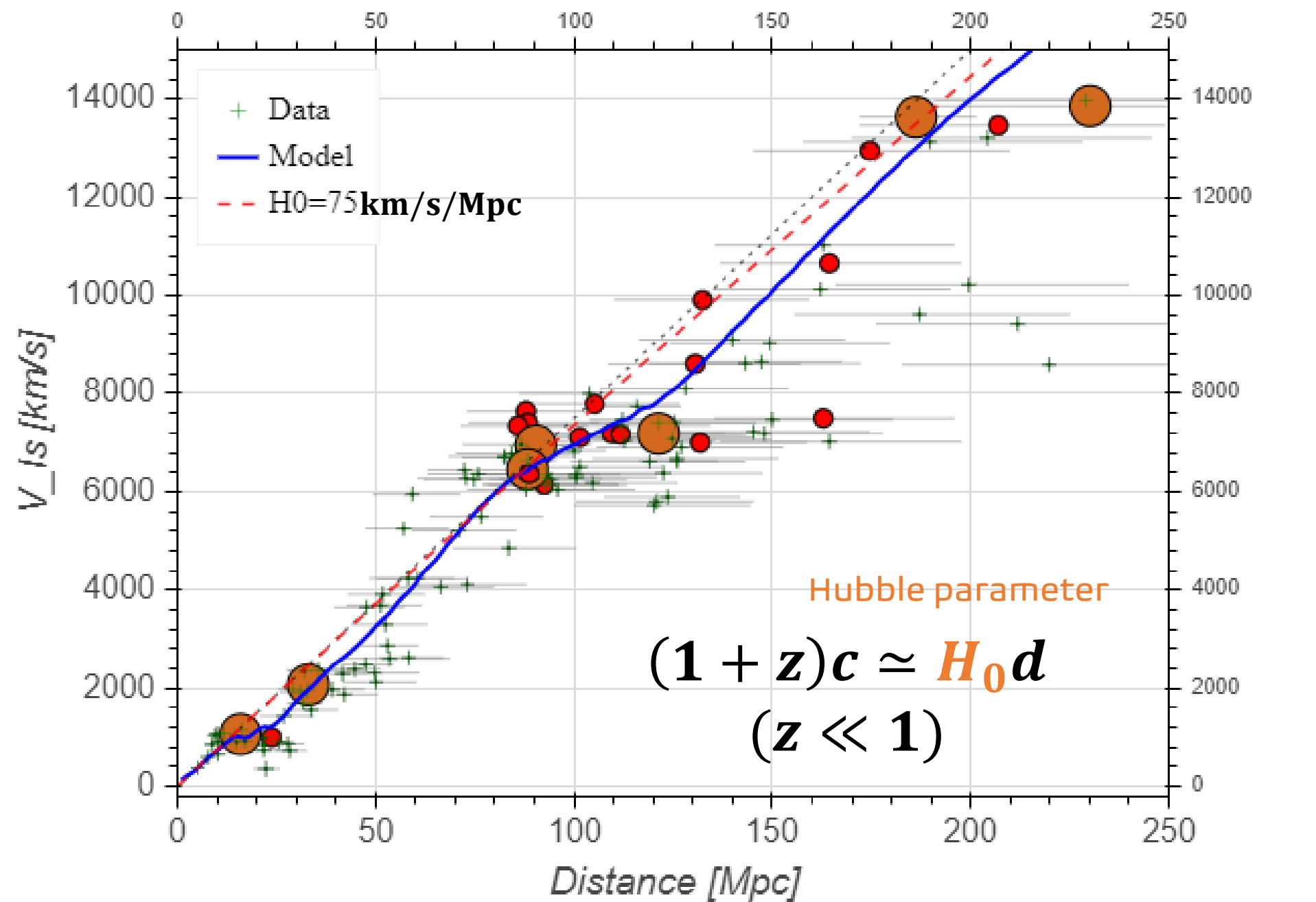
Hubble (1929)

Redshift

- A phenomenon that the wavelength of electromagnetic wave is elongated.
- A kind of Doppler's effect when an object radiating electromagnetic wave moves in an opposite direction to the wave propagation direction.

$$1 + z = \frac{\lambda_{\text{obs}}}{\lambda_0} = \frac{v_{\text{los}}}{c}$$





Robertson-Walker spacetime metric

$$ds^2 = c^2 dt^2 - \underbrace{a^2(t)}_{\text{scale factor}} \left[\frac{dr^2}{1 - \underbrace{K r^2}_{\text{curvature}}} + r^2 (d\theta^2 + \sin^2 \theta d\phi^2) \right]$$



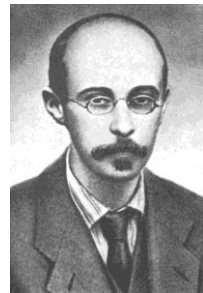
Friedmann equation

$$\dot{a}^2 + K^2 c^2 = \frac{8\pi G}{3} \rho a^2, \quad \ddot{a} = -\frac{4\pi G}{c^2} \left(\rho + \frac{p}{c^2} \right) a$$

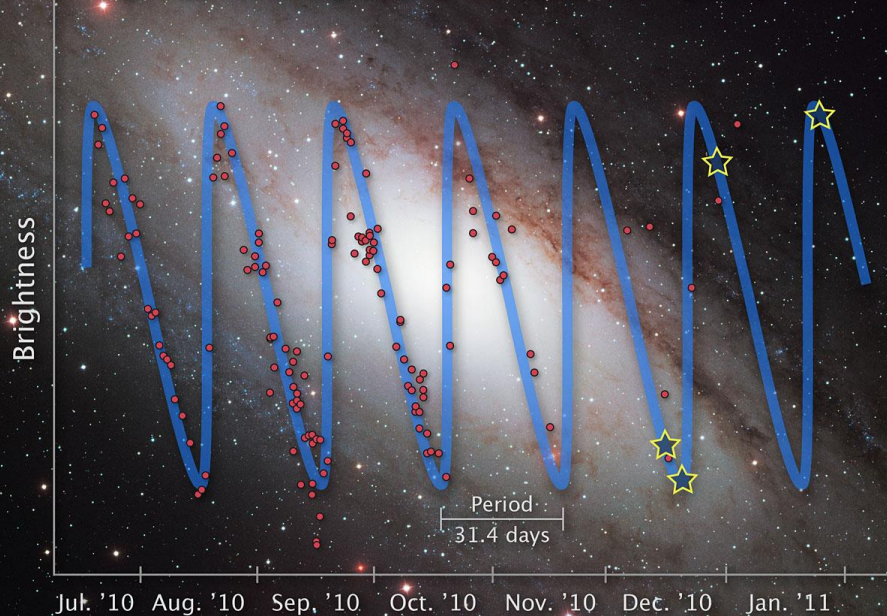


Critical density

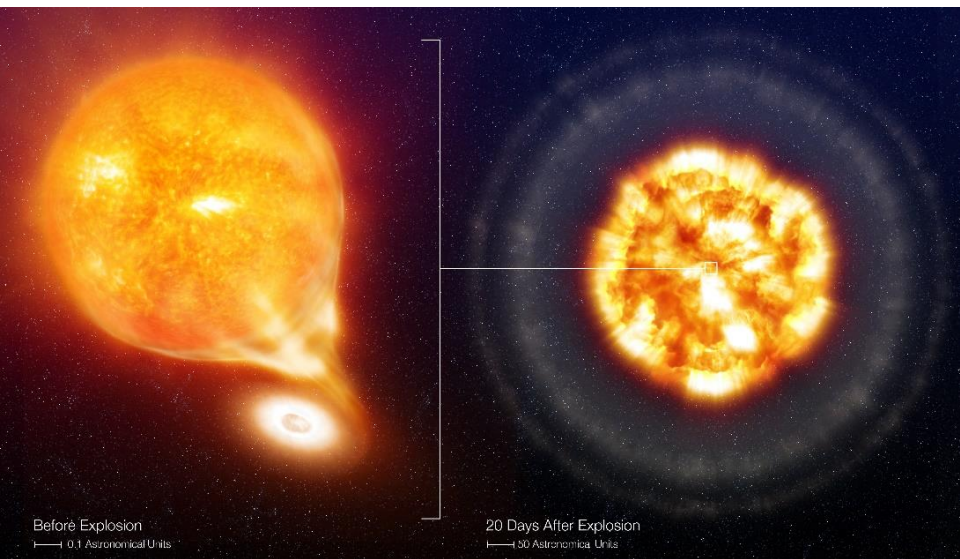
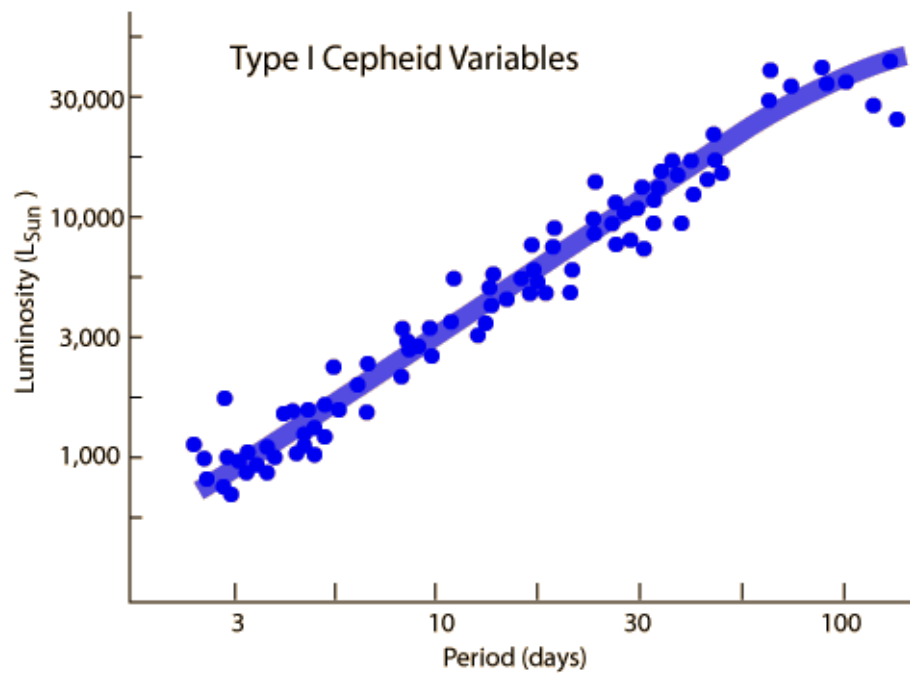
$$\rho_c(t) = \frac{3 \underbrace{H(t)^2}_{\text{Hubble parameter}}}{8\pi G}$$



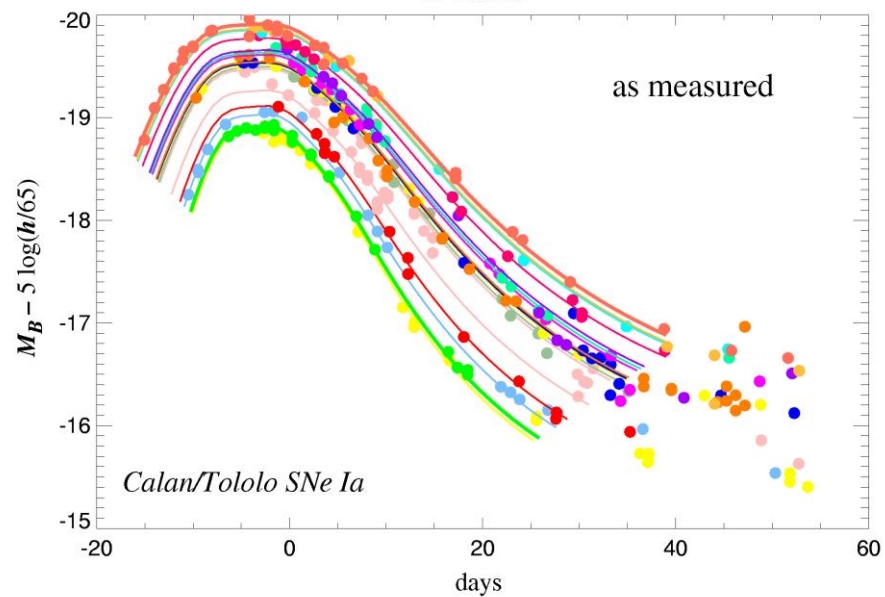
Light curve of Cepheid variable star V1 in galaxy M31



Type I Cepheid Variables

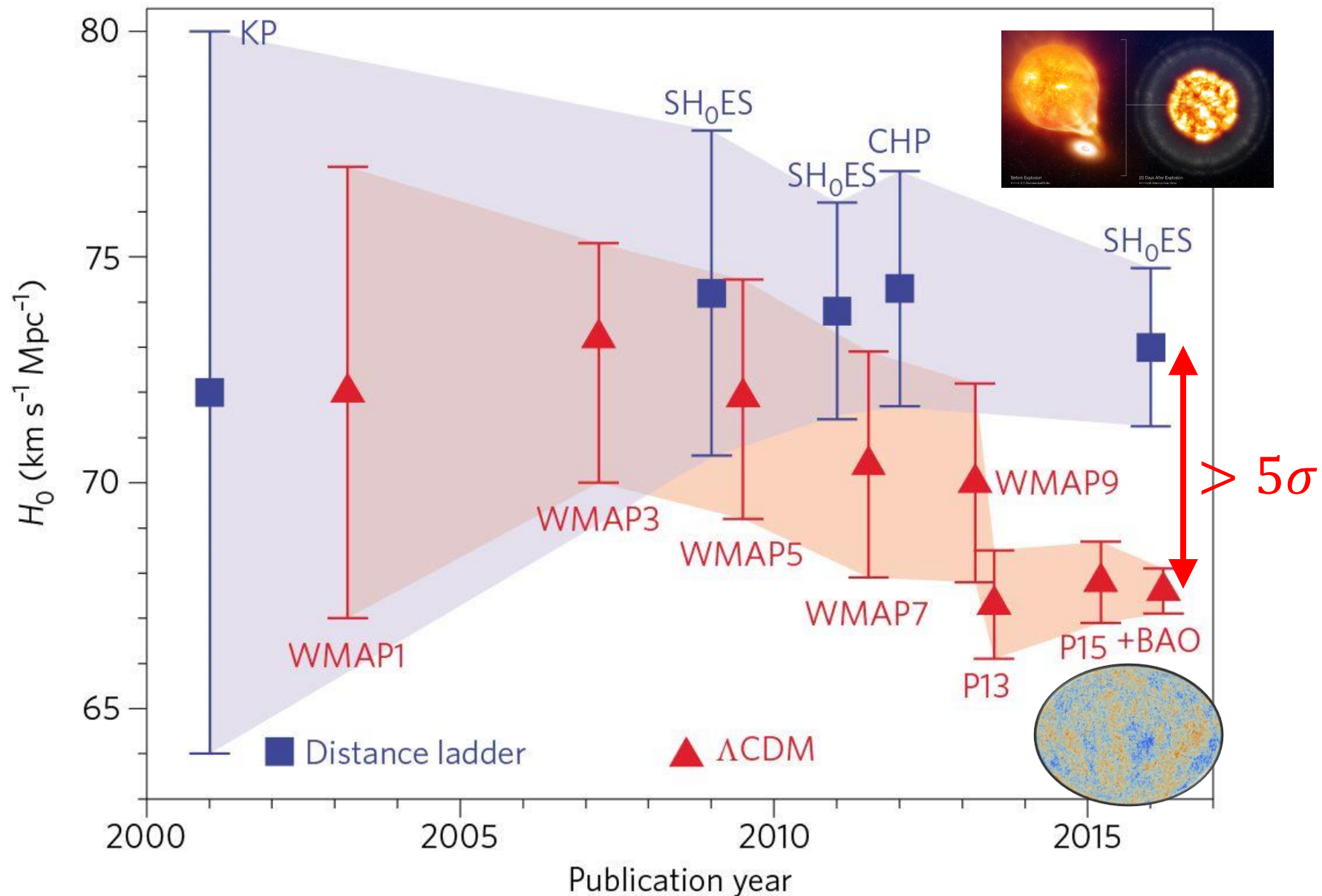


B Band

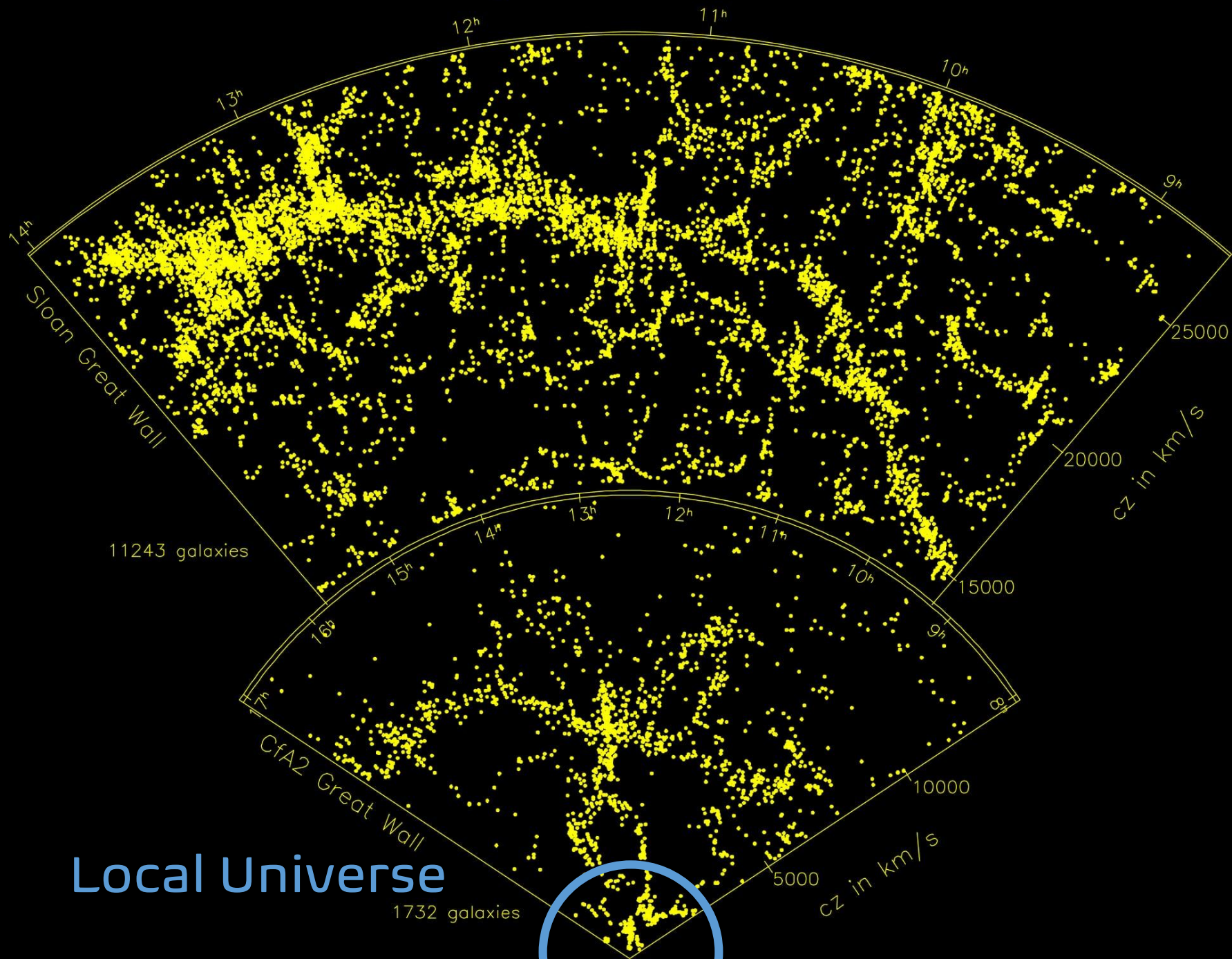


H_0 -Tension?

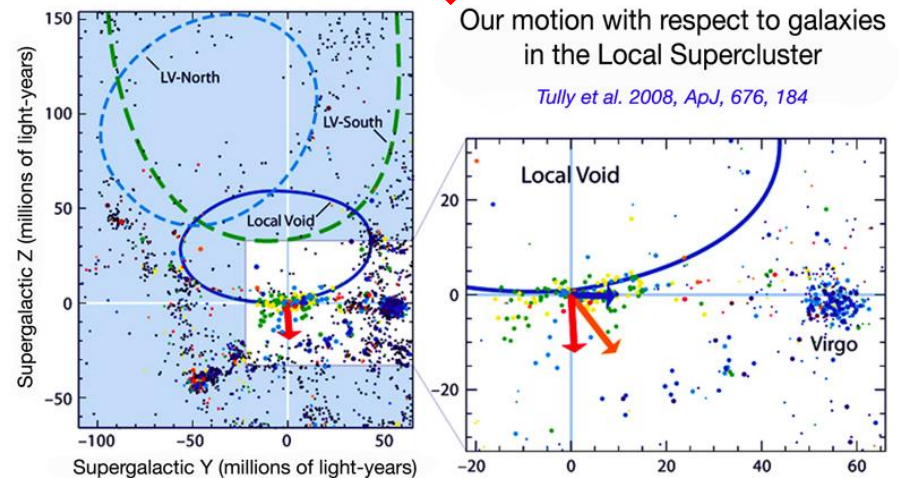
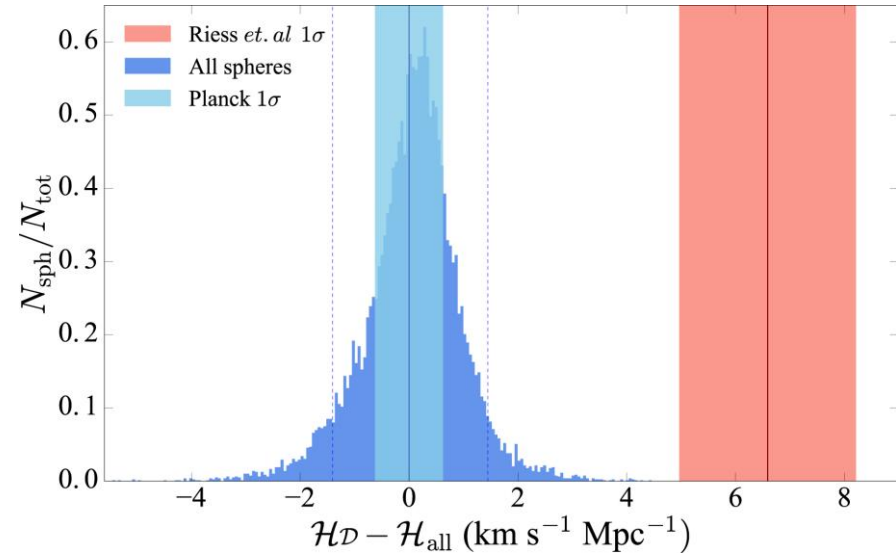
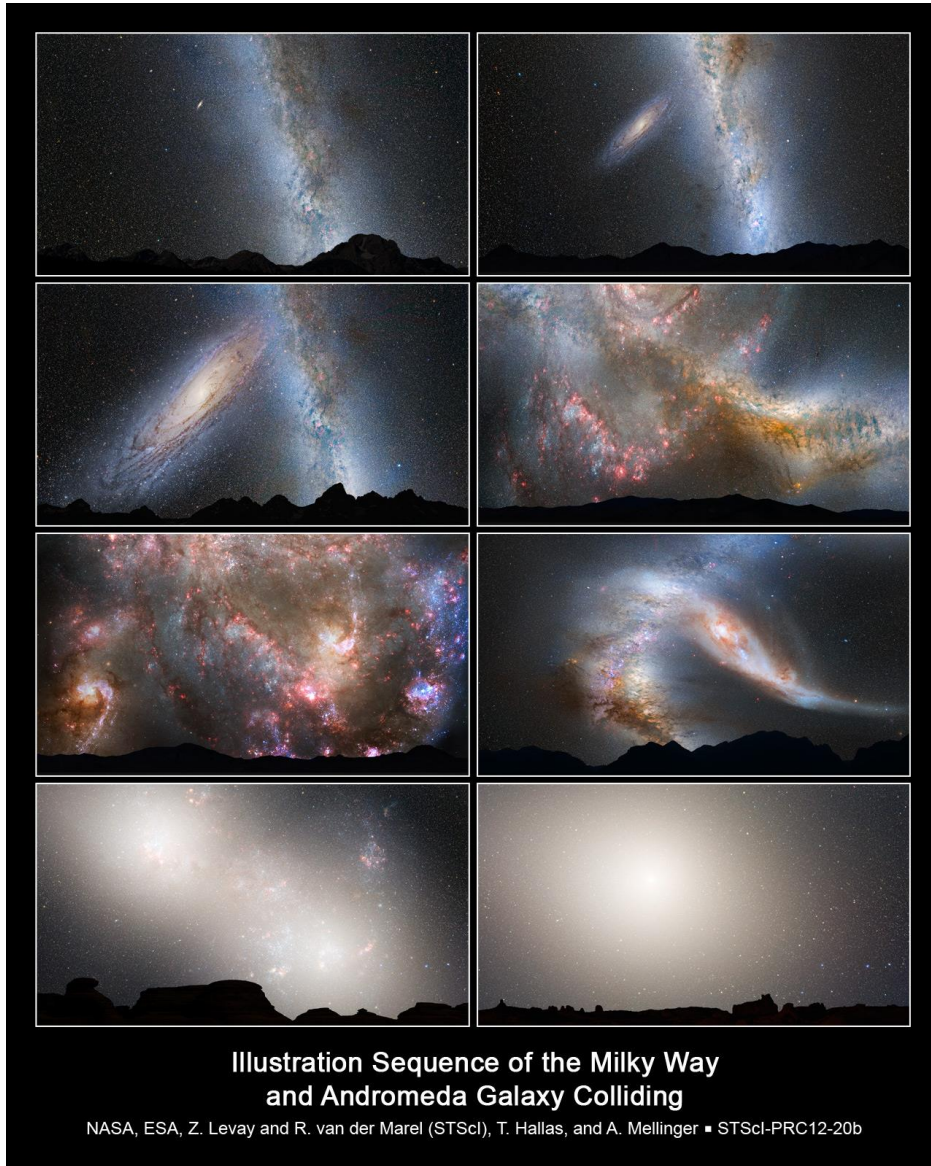
<https://www.nature.com/articles/s41550-017-0121>



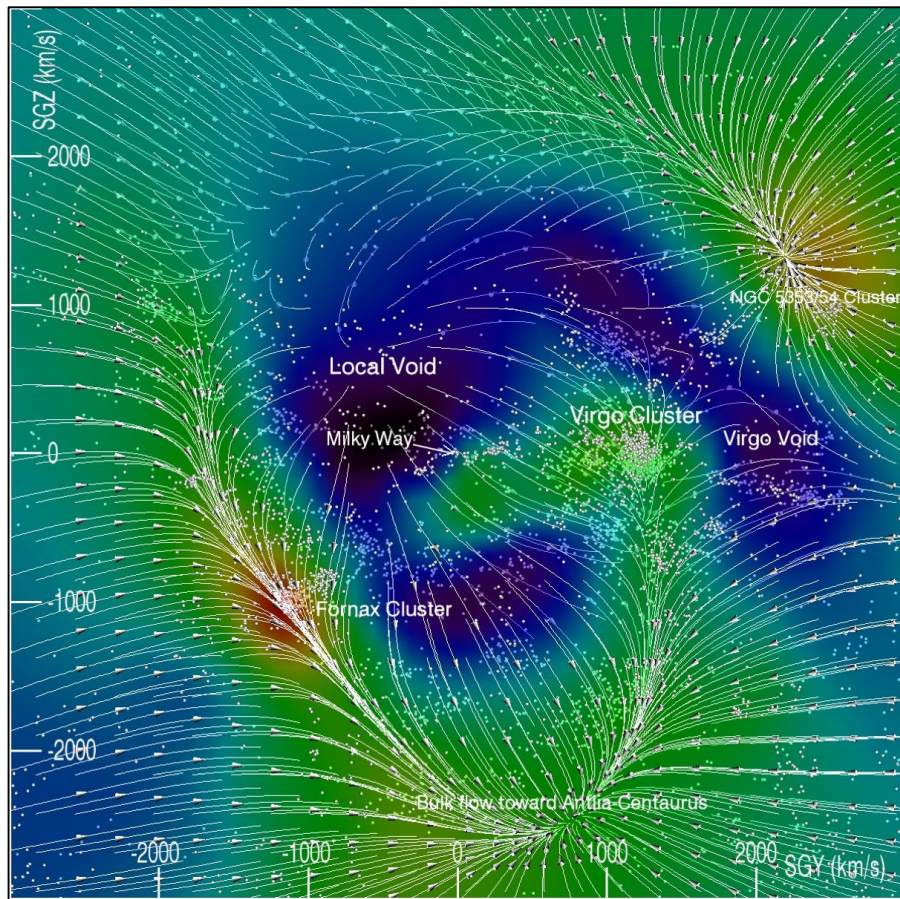
Right ascension



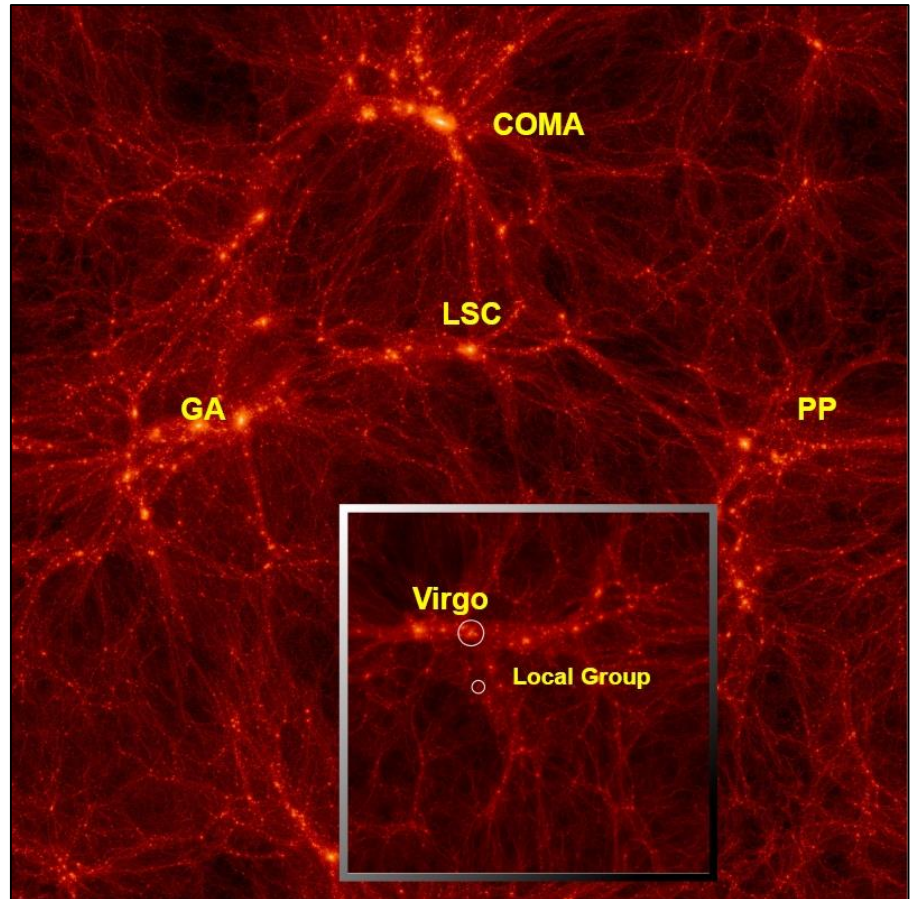
Why Local Universe is Important?



Reconstructing Local Universe?

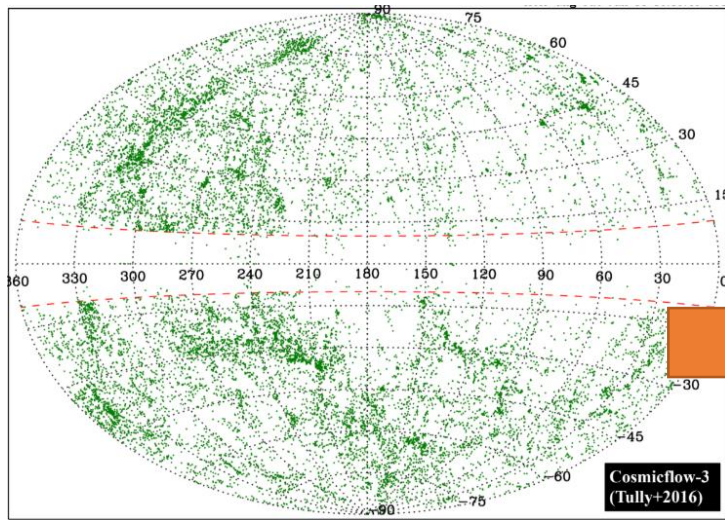


Cosmicflows-1: Courtois+ (2012)

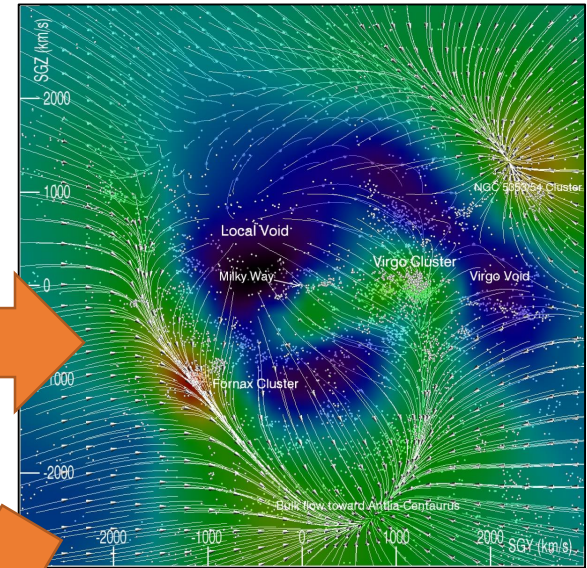


CLUES simulations
(160 Mpc/h & 64 Mpc/h)
1005.2687

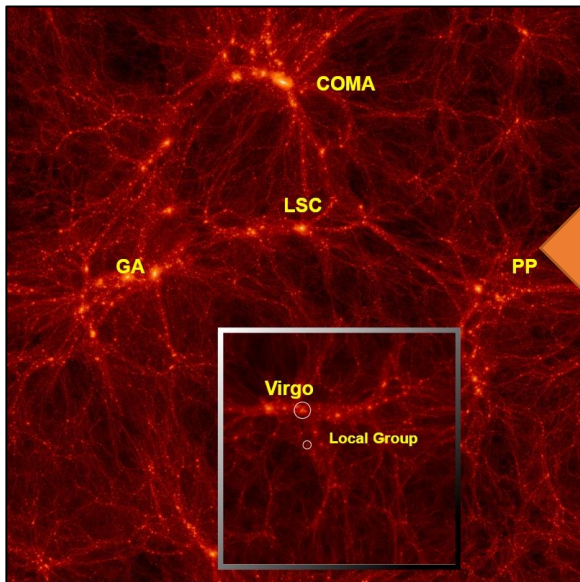
Reconstructing Local Universe?



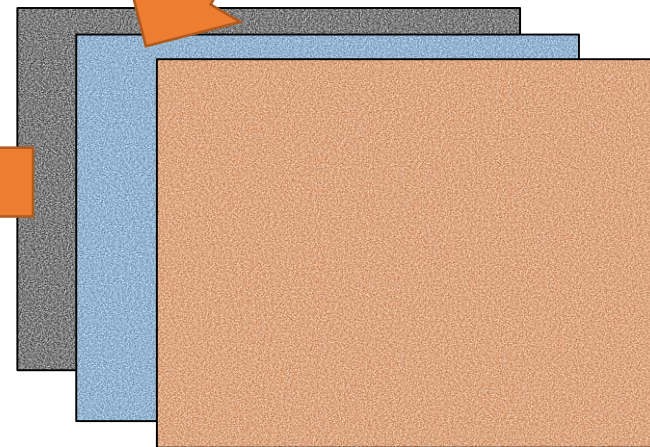
Full-sky observations
(Incomplete; low-latitude mask)



Reconstruct Gaussian field
($> 4\text{Mpc}/h$ scale)

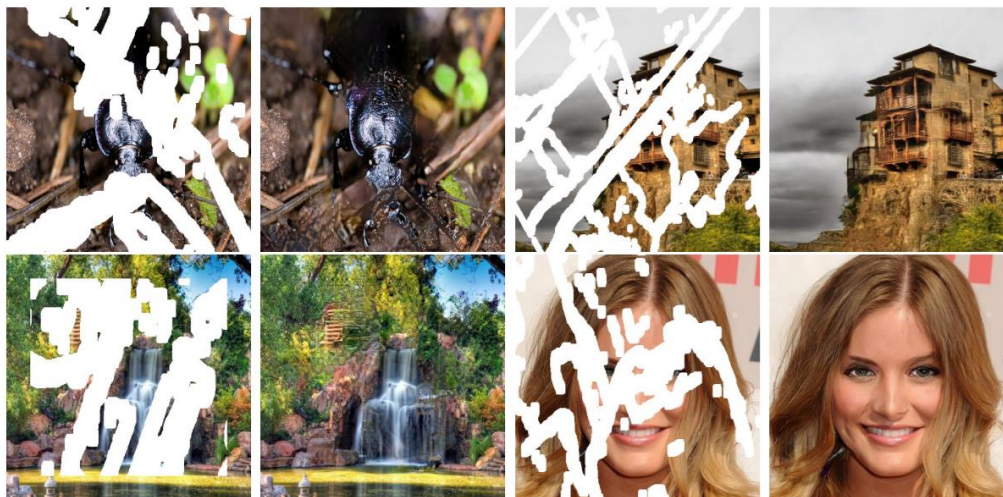


Run simulations
& find **the best?**



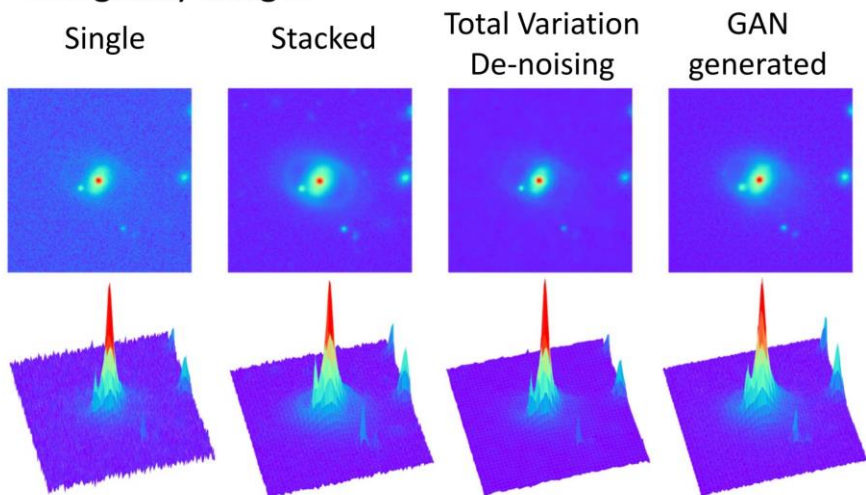
Add different realizations of
small-scales

Deep Learning Image Reconstruction

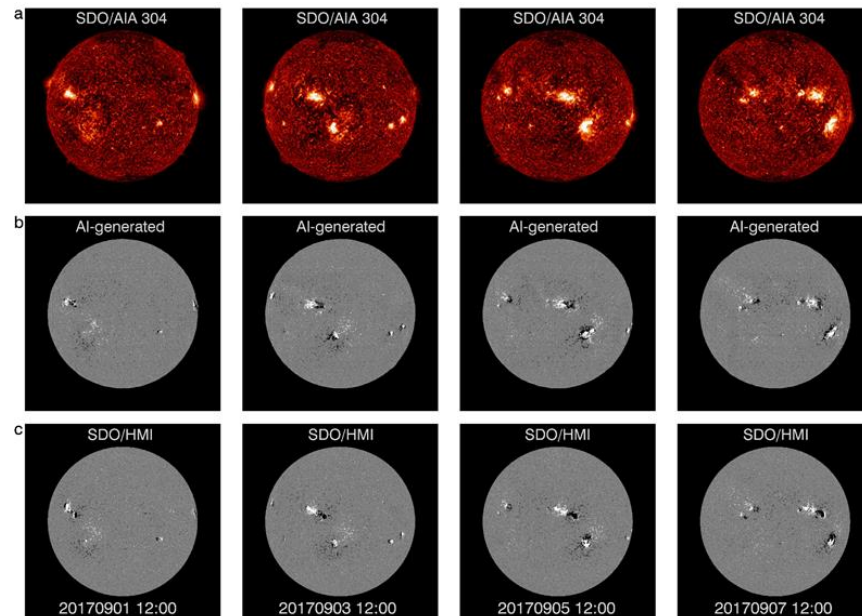


© NVIDIA: 1804.07723

- Test galaxy images

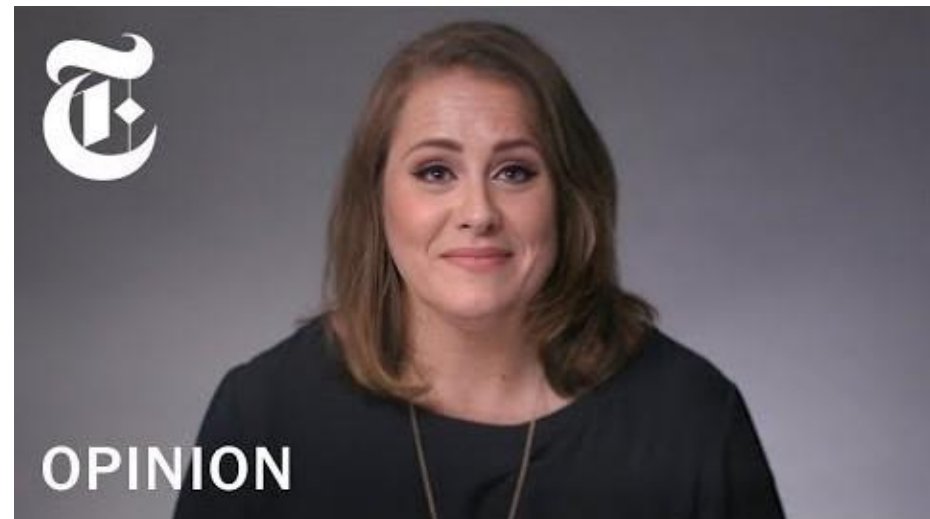


© Youngjun Park



SolarMagGAN: Kim+ (2019)

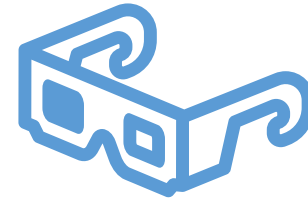
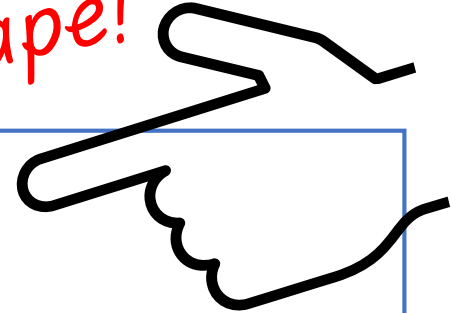
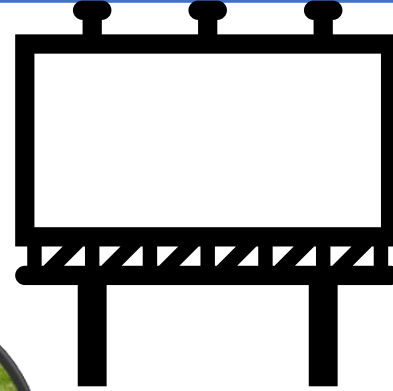
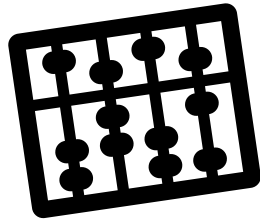
What is Machine Learning?



What is ~~Machine~~ Learning?

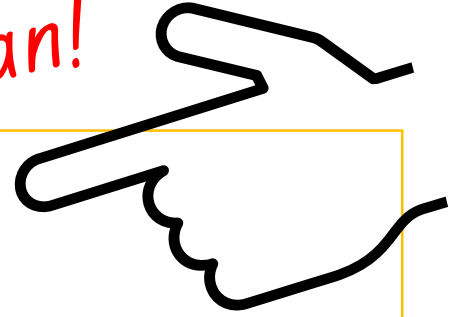
Escape!

Supervised

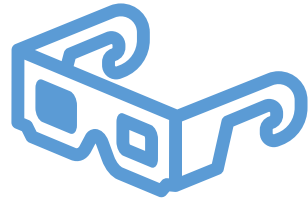
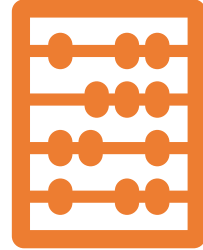
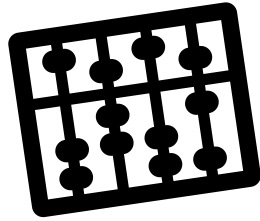


What is ~~Machine~~ Learning?

Clean!



Unsupervised



What is ~~Machine~~ Learning?

Supervised

Find a function $F(\dots)$

$$F(\vec{x}_i) \approx \vec{y}_i$$

for given data $\{\vec{x}_i\}$ and $\{\vec{y}_i\}$

Output
we estimate

Input

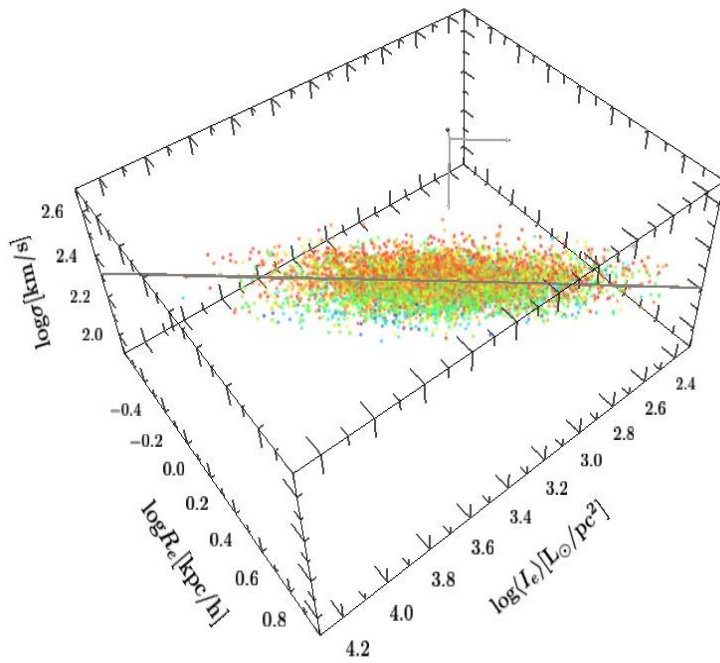
Unsupervised

Find a function $F(\dots)$

$$F(\vec{x}_i) = \vec{y}_i$$

where $\{\vec{y}_i\}$ is something useful for data $\{\vec{x}_i\}$

Output
we can define



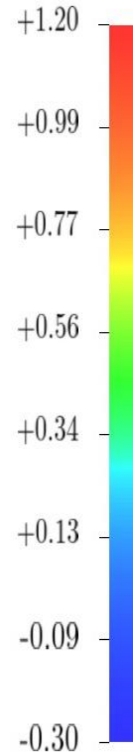
Least-squared fitting w/
polynomial/exponential form

→ Supervised learning

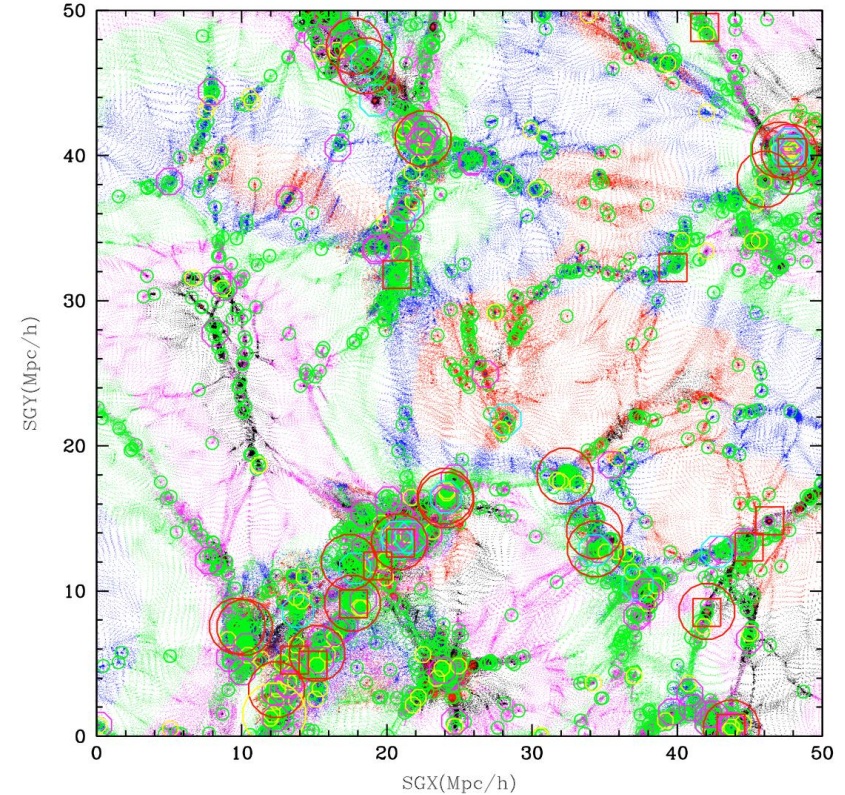
$$\{\vec{x}_i\}: \{(R_e, \sigma)_i\}$$

$$\{\vec{y}_i\}: \{\langle I_e \rangle_i\}$$

log(age)



slice 10<z<11 realization BDM z=0. Bolshoi



Friend-of-friends halo finder

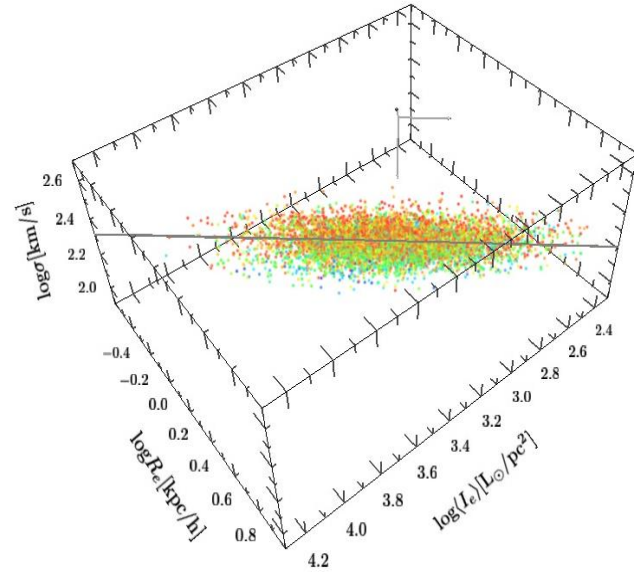
→ Unsupervised learning

$$\{\vec{x}_i\}: \text{particle position}$$

$$\{\vec{y}_i\}: \text{group label}$$

Traditional Learning (or Fitting)

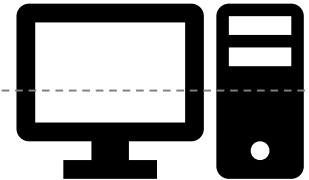
R_e	σ	$\langle I_e \rangle$
X.XXXXXX	X.XXXXXX	X.XXXXXX
X.XXXXXX	X.XXXXXX	X.XXXXXX
X.XXXXXX	X.XXXXXX	X.XXXXXX
X.XXXXXX	X.XXXXXX	X.XXXXXX
X.XXXXXX	X.XXXXXX	X.XXXXXX
...



$$\log \langle I_e \rangle = \beta_1 \log R_e + \beta_2 \log \sigma + \beta_3$$

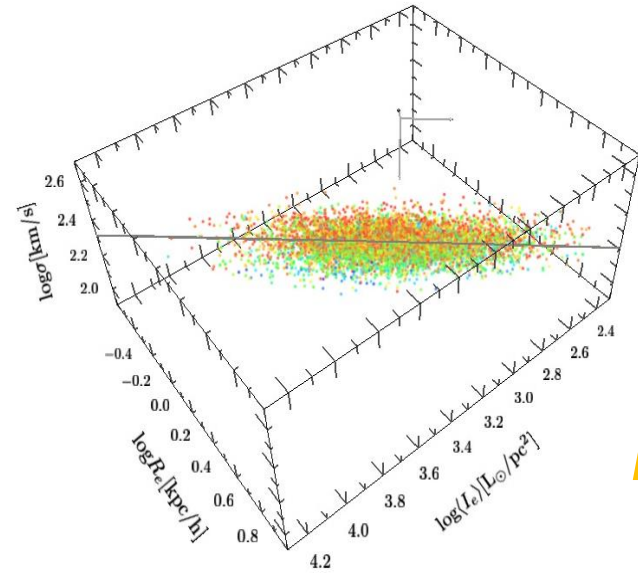


$$(\beta_1, \beta_2, \beta_3) = (\dots, \dots, \dots)$$

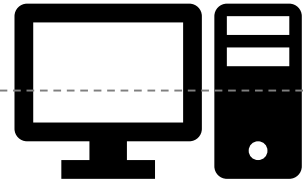
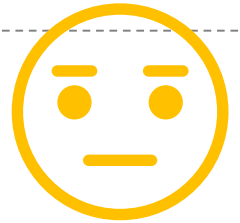


Machine Learning

R_e	σ	$\langle I_e \rangle$
X.XXXXXXX	X.XXXXXXX	X.XXXXXXX
X.XXXXXXX	X.XXXXXXX	X.XXXXXXX
X.XXXXXXX	X.XXXXXXX	X.XXXXXXX
X.XXXXXXX	X.XXXXXXX	X.XXXXXXX
X.XXXXXXX	X.XXXXXXX	X.XXXXXXX
...



Learning Strategy



$$\langle I_e \rangle(R_e, \sigma) \approx \dots$$

Machine Learning: Pros

- ML can be used without specific description.
→ Good when we need to find something **beyond** the known relation.
- ML can find very complex $F(\dots)$.
→ Good when the relation is **hard to formulate**.
- Once found, ML can usually calculate $F(\dots)$ very fast.
→ Good when the true relation is **computationally expensive**.

Machine Learning: Cons

- $F(\dots)$ derived from ML is usually very complex.
→ Harder to get clear **physical understanding**.
- Controlling *learning strategy* is somewhat different from controlling *physical* parameters.
→ May **take extra efforts** to get used to the methods.



Machine Learning

- All results should be lead by physics
 - Software is no replacement for physical understanding
- ML is a useful technique in three cases:
 - No known or understandable physical mechanism exists:
 - Dark energy
 - Physics known, but computing the required quantities is challenging:
 - Photometric redshifts
 - Large numbers of simulations - non-linear emulators
 - Paradigm testing: looking for things not predicted by any physics or models
 - Unknown unknown
 - Model-independent tests

Techniques (examples):

1. Classification/catagorization

- Support Vector Machines
- Naive Bayes
- Perceptron/CNN
- Decision Trees

2. Clustering

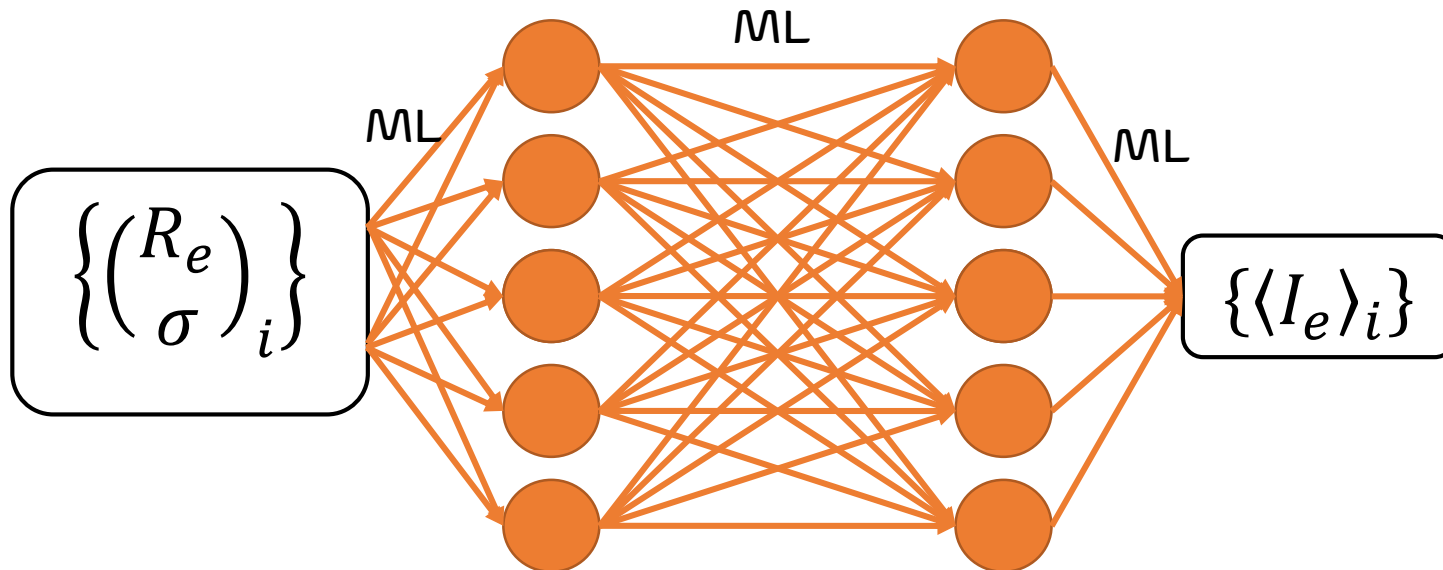
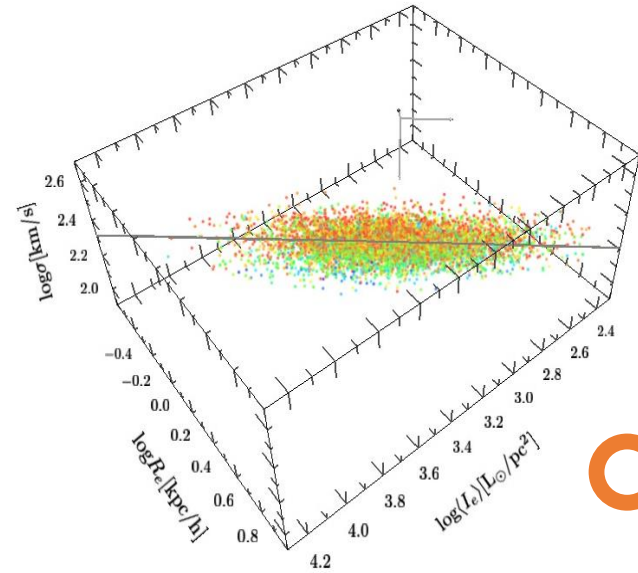
- Hierarchical
- k-means
- DBSCAN
- Density

3. Interpolation/Regression

- Gaussian Process Regression
- Kernel Ridge Regression
- Multivariate adaptive regression splines

Deep Learning

R_e	σ	$\langle I_e \rangle$
X.XXXXXX	X.XXXXXX	X.XXXXXX
X.XXXXXX	X.XXXXXX	X.XXXXXX
X.XXXXXX	X.XXXXXX	X.XXXXXX
X.XXXXXX	X.XXXXXX	X.XXXXXX
X.XXXXXX	X.XXXXXX	X.XXXXXX
...



Deep Learning: Pros & Cons

- The **physical understanding** of results becomes even harder than usual ML
- Building DL architectures allow **too many degrees of freedom**
- Successful DL requires **many training samples** & **computational cost** (usually on GPUs)
- If successful, DL can provide **very high estimating power** in **complex problems**

scikit-learn

Machine Learning in Python

Getting Started What's New in 0.22 GitHub

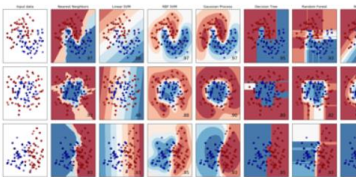
- Simple and efficient tools for predictive data analysis
- Accessible to everybody, and reusable in various contexts
- Built on NumPy, SciPy, and matplotlib
- Open source, commercially usable - BSD license

Classification

Identifying which category an object belongs to.

Applications: Spam detection, image recognition.

Algorithms: SVM, nearest neighbors, random forest, and more...

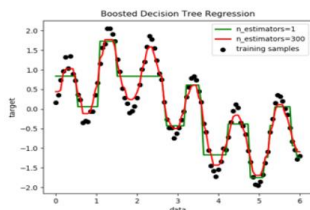


Regression

Predicting a continuous-valued attribute associated with an object.

Applications: Drug response, Stock prices.

Algorithms: SVR, nearest neighbors, random forest, and more...



Clustering

Automatic grouping of similar objects into sets.

Applications: Customer segmentation, Grouping experiment outcomes

Algorithms: k-Means, spectral clustering, mean-shift, and more...



ML: [scikit-learn](http://scikit-learn.org/) (<http://scikit-learn.org/>)

DL: [tensorflow](http://www.tensorflow.org/) (<http://www.tensorflow.org/>)

A mostly complete chart of Neural Networks

©2019 Fjodor van Veen & Stefan Leijnen asimovinstitute.org

- Input Cell
- Backfed Input Cell
- △ Noisy Input Cell
- Hidden Cell
- Probabilistic Hidden Cell
- △ Spiking Hidden Cell
- Capsule Cell
- Output Cell
- Match Input Output Cell
- Recurrent Cell
- Memory Cell
- △ Gated Memory Cell
- Kernel
- Convolution or Pool

Perceptron (P)



Feed Forward (FF)



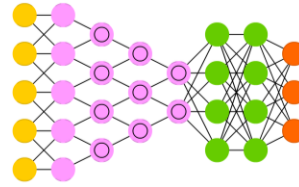
Radial Basis Network (RBF)



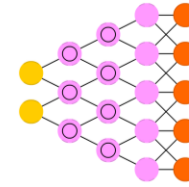
Deep Feed Forward (DFF)



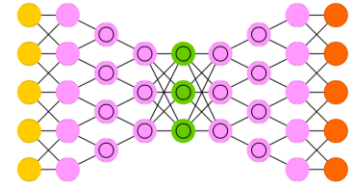
Deep Convolutional Network (DCN)



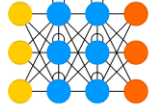
Deconvolutional Network (DN)



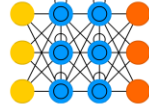
Deep Convolutional Inverse Graphics Network (DCIGN)



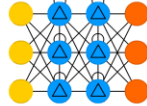
Recurrent Neural Network (RNN)



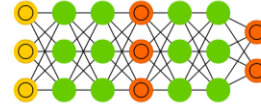
Long / Short Term Memory (LSTM)



Gated Recurrent Unit (GRU)



Generative Adversarial Network (GAN)



Liquid State Machine (LSM)



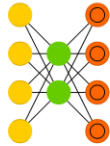
Extreme Learning Machine (ELM)



Echo State Network (ESN)



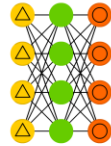
Auto Encoder (AE)



Variational AE (VAE)



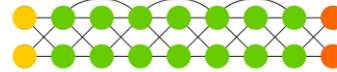
Denosing AE (DAE)



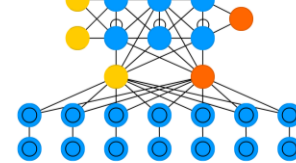
Sparse AE (SAE)



Deep Residual Network (DRN)



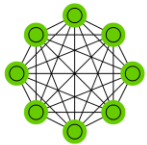
Differentiable Neural Computer (DNC)



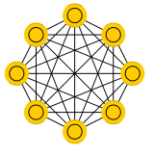
Neural Turing Machine (NTM)



Markov Chain (MC)



Hopfield Network (HN)



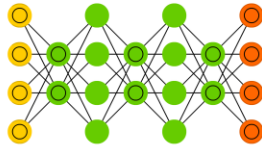
Boltzmann Machine (BM)



Restricted BM (RBM)



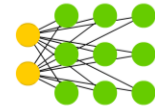
Deep Belief Network (DBN)



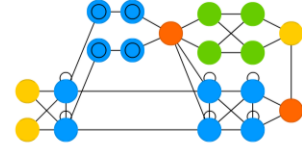
Capsule Network (CN)



Kohonen Network (KN)



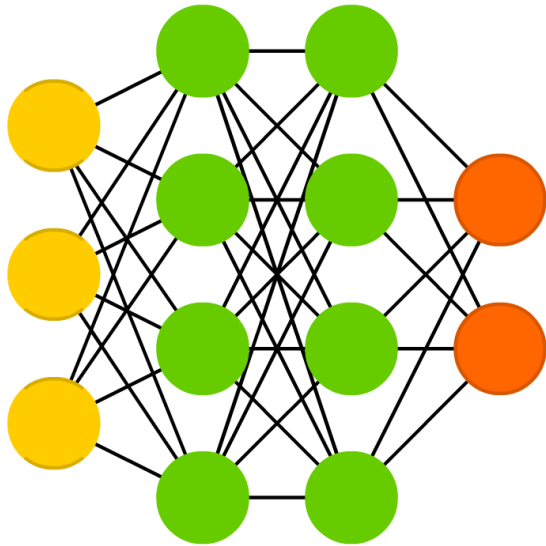
Attention Network (AN)



<https://www.asimovinstitute.org/neural-network-zoo/>



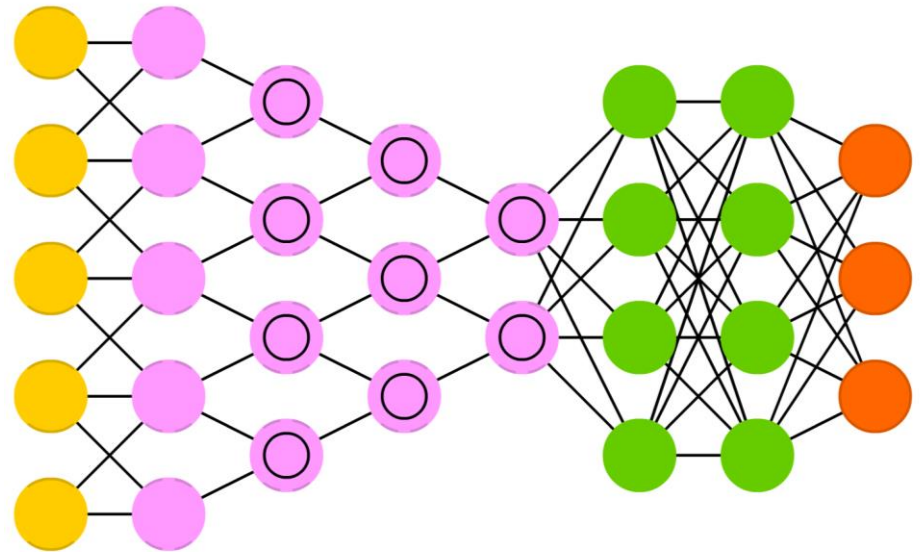
Deep Feed Forward (DFF)



Fully connected (FC) layer

- Produce connections for all elements between layers
- Useful if each element is rather independent (e.g., different physical parameters)

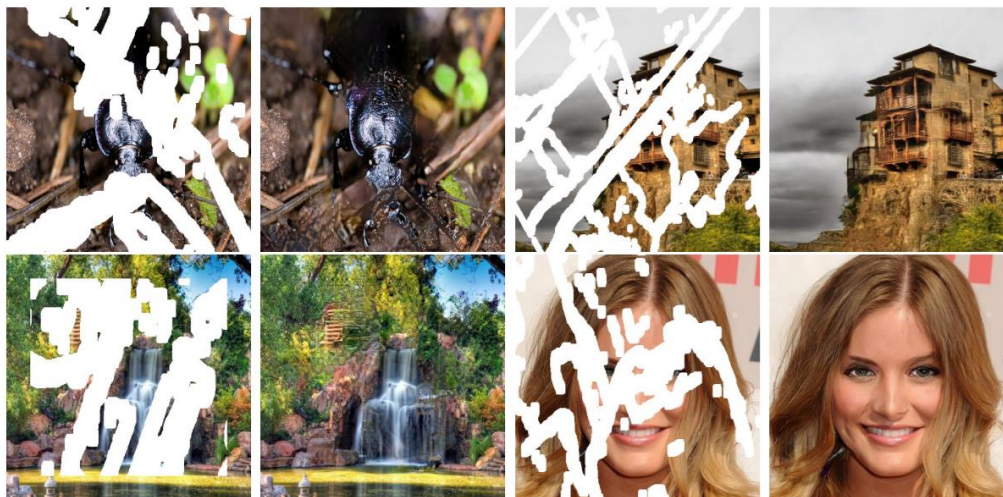
Deep Convolutional Network (DCN)



Convolutional (Conv) layer

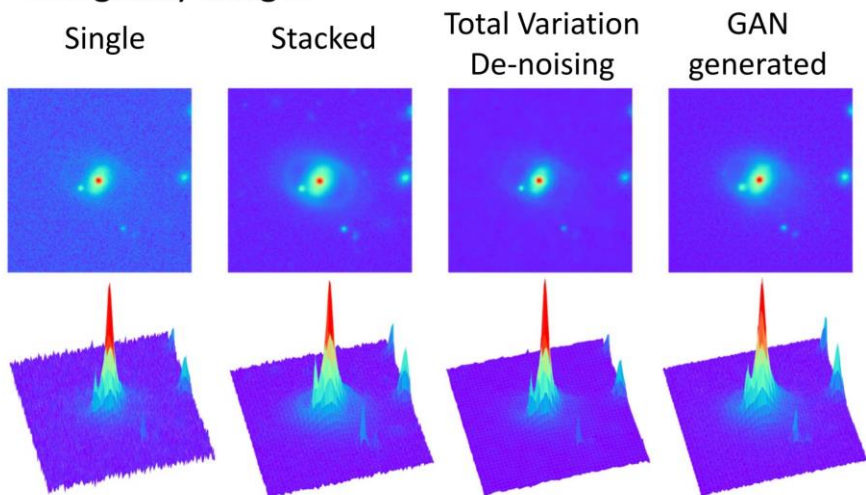
- Apply convolution kernels with fixed sizes
- Useful if ordering of elements is important (e.g., spectrum, image)

Deep Learning Image Reconstruction

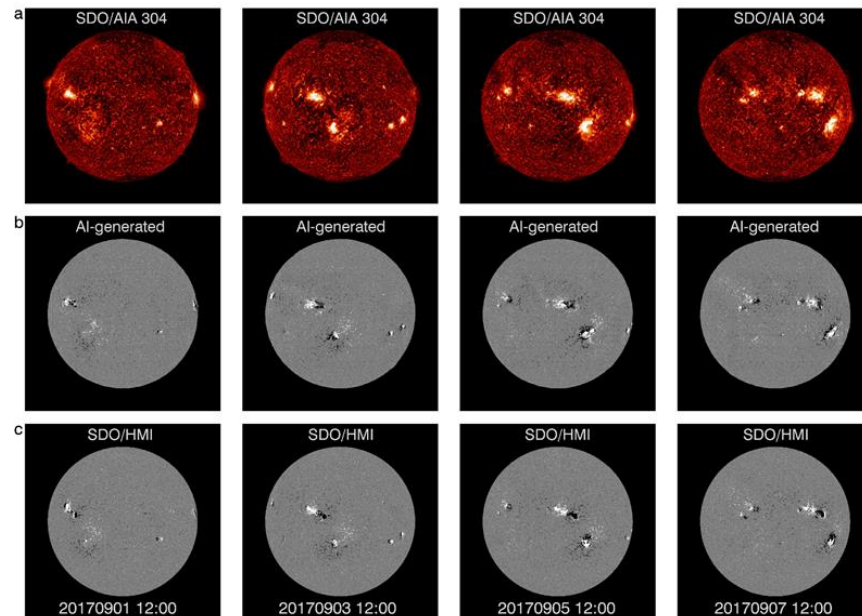


© NVIDIA: arXiv:1804.07723

- Test galaxy images

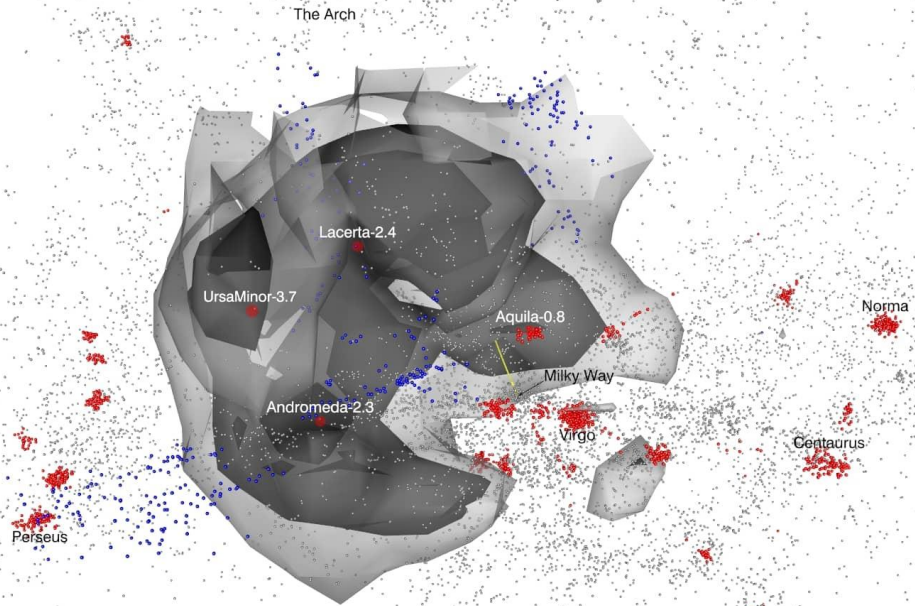


© Youngjun Park



SolarMagGAN: Kim+ (2019)

Observational Data: Cosmicflows-3

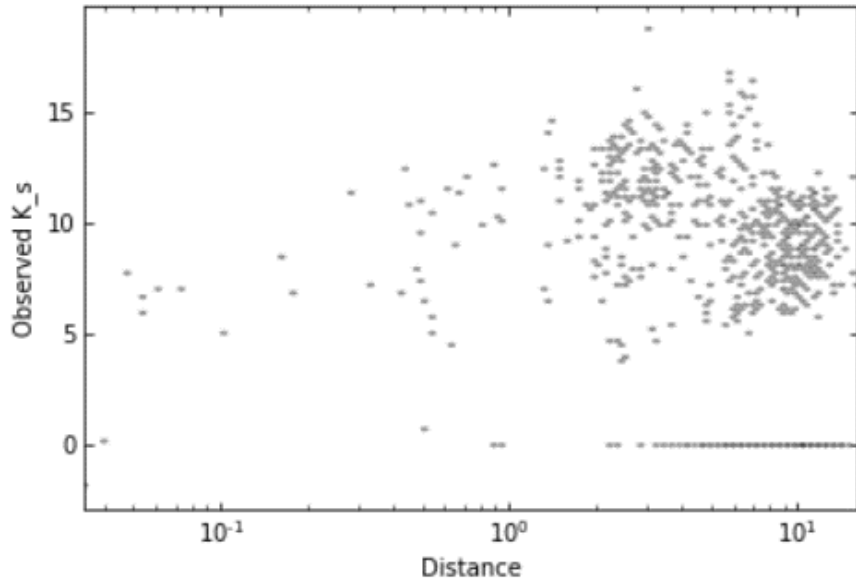


Cosmicflows-3: COSMOGRAPHY OF THE LOCAL VOID

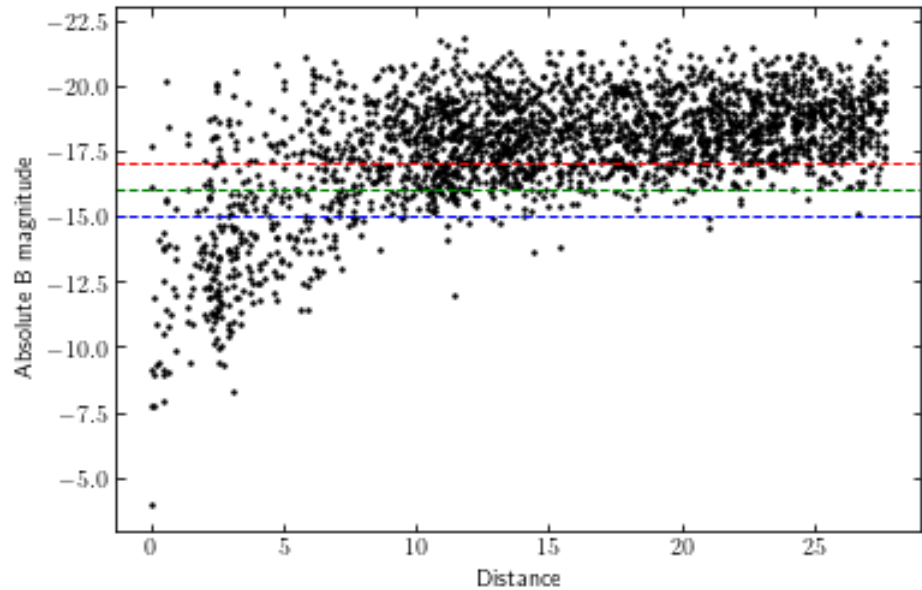
by

R. Brent Tully, Daniel Pomarède, Romain Graziani, Yehuda Hoffman, H el ene M. Courtois and Edward J. Shaya

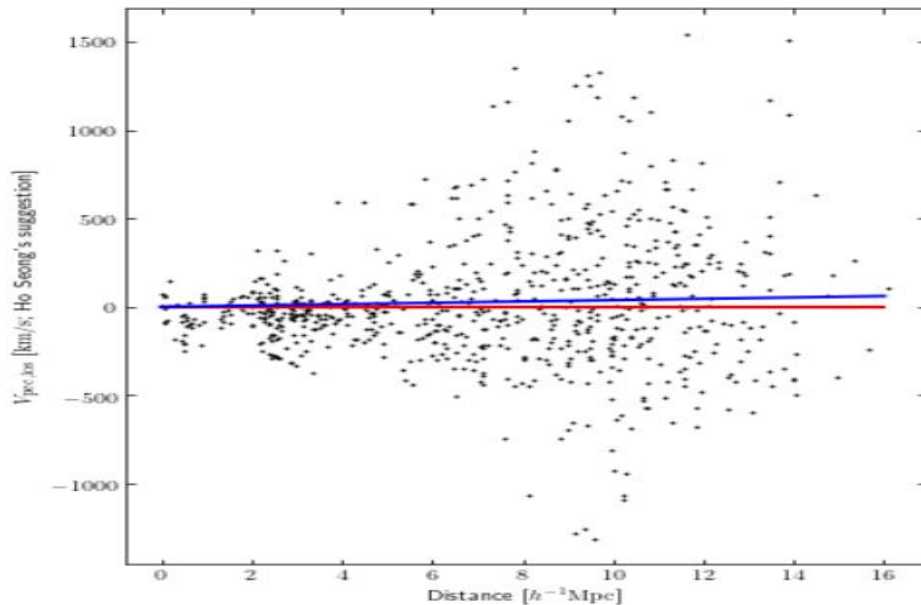
- Provides both **distance** and **LOS velocity** $H_0 = 100h \text{ km/s/Mpc}$
- Use $40\text{Mpc}/h$ cube volume, with $0.3125\text{Mpc}/h$ resolution
- Exclude region close to the Galactic plane ($|b| < 10 \text{ deg}$)
- Apply absolute B -band magnitude cut ($M_B < -16 \text{ mag}$)
- Peculiar velocity = LOS velocity (Galactic standard of rest) – Hubble flow



~30% of galaxies do not contain proper K_s -band magnitude. Possibly due to the limitation of 2MASS+ observation.



$M_B < -16$ mag is sufficient for making volume-limited sample up to $R \sim 30\text{Mpc}/h$.



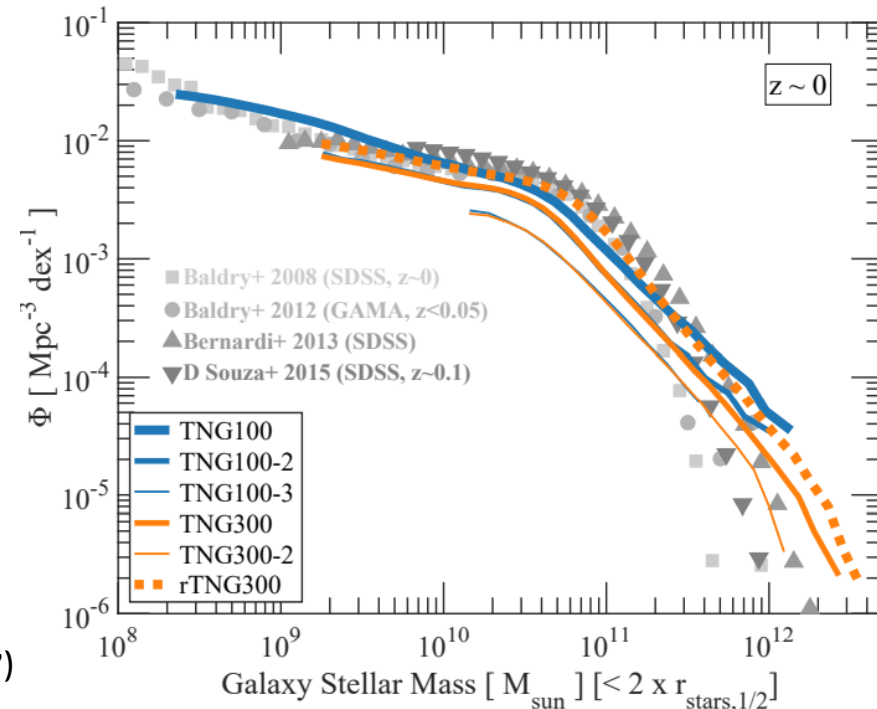
Tested both $H_0 = 67\text{km/s/Mpc}$ (Planck cosmology) and 75km/s/Mpc (Cosmicflows-3 best-fit) for Hubble flow. Found **no big difference** on the prediction.

Training & Validation: **Illustris-TNG**

Training & Validation: Illustris-TNG

- Key Selection Criteria: Similar to Cosmicflows-3
 - Origins : MW-like galaxies with stellar mass $4 \times 10^{10} \sim 10^{11} M_{\text{sun}}$.
 - Use galaxies with $M_B < -16$ mag & $|b| > 10$ deg
- Fiducial Simulation: TNG300-1
 - 205Mpc/h boxsize
 - $2,500^3$ DM & gas particles

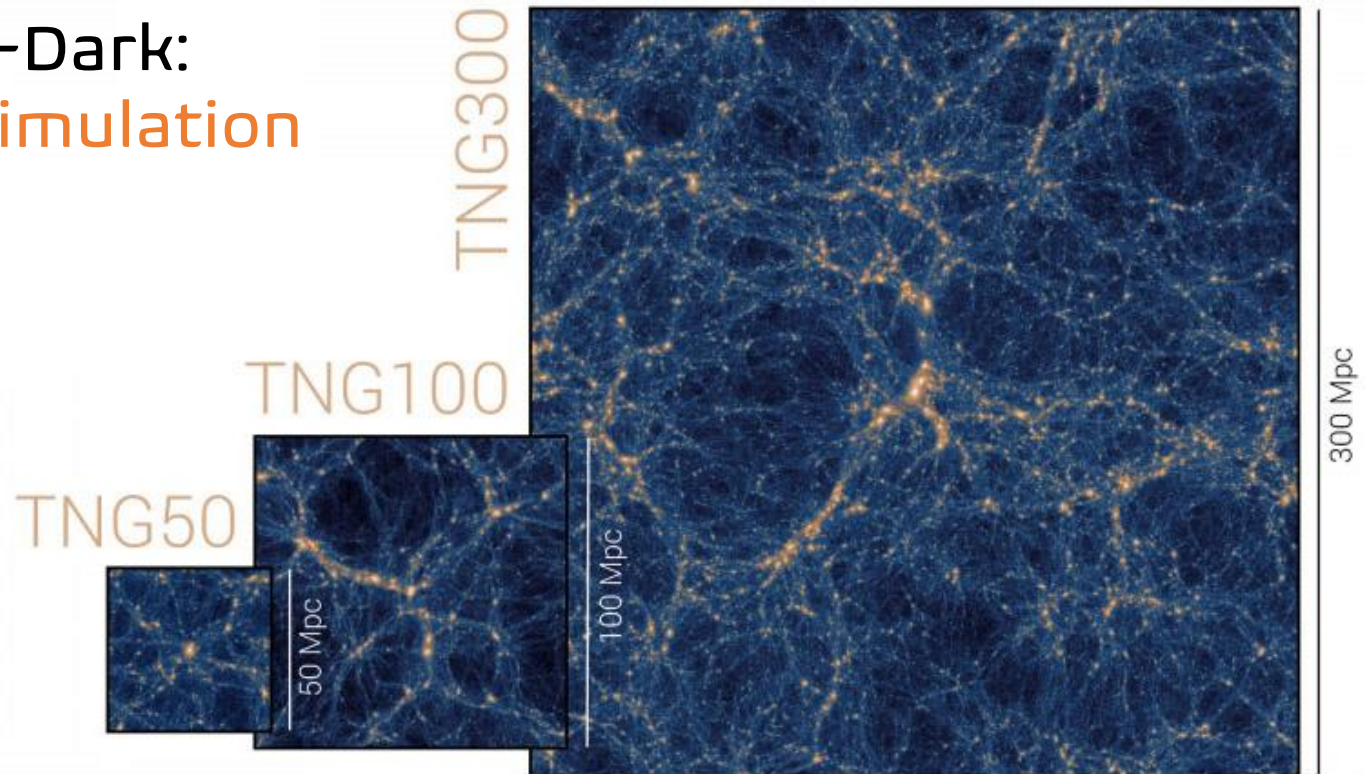
→ Resolution correction with galaxy number density cut rather than face values of M_B and M_*



Pillepich+ (2017)

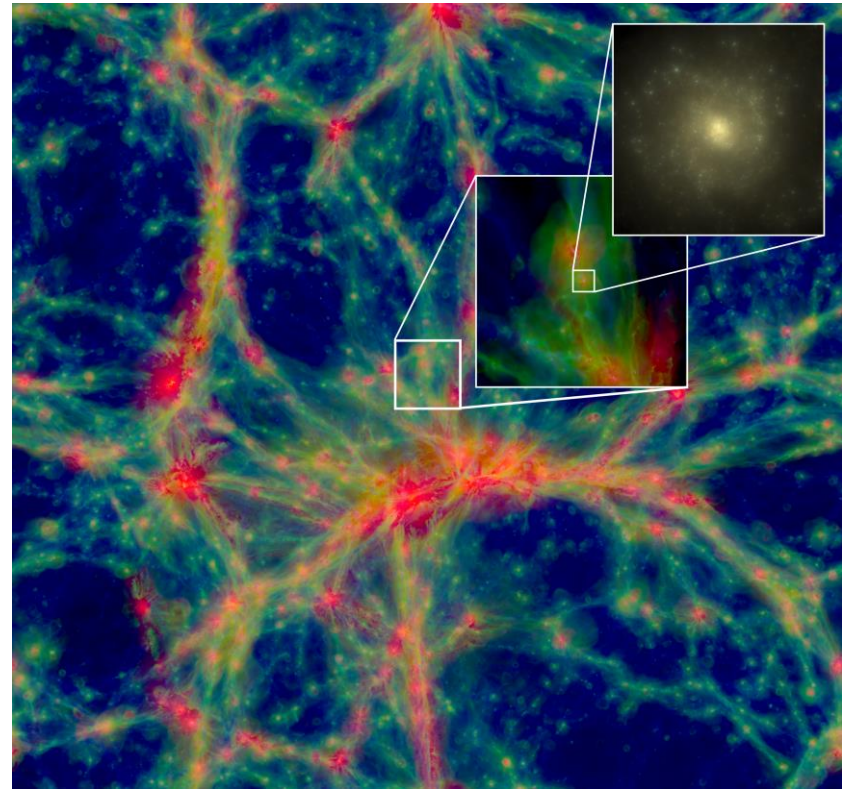
Additional Tests for Different Setups

- TNG100-1: **Higher Resolution & Lower Boxsize**
 - 75Mpc/h boxsize
 - $1,820^3$ DM & gas particles
 - Directly use M_B and M_*
 - Use 20Mpc/h subsamples with 64^3 grids
- TNG300-1-Dark:
DM-only Simulation



Additional Tests for Different Setups

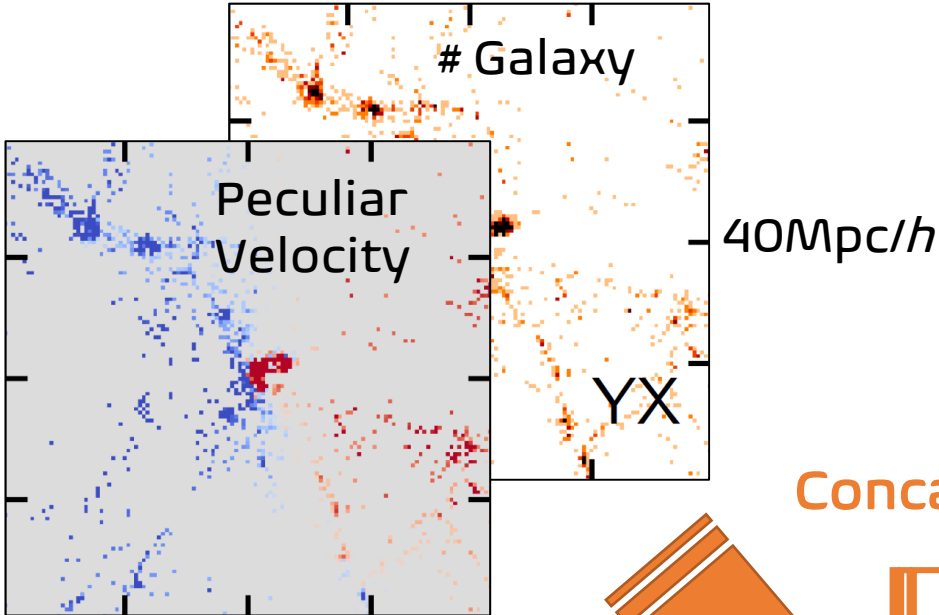
- EAGLE RefL0100N1504: **Different Hydrodynamics**
 - $67.77 \text{ Mpc}/h$ boxsize
 - 1504^3 DM & gas particles
→ Similar resolution to TNG-100-1
 - Magnitude information is available only for massive galaxies ($M_* > 10^{8.5} M_{\text{sun}}$)
→ Galaxy number density cut instead of using M_B



Method: UNet-like CNN

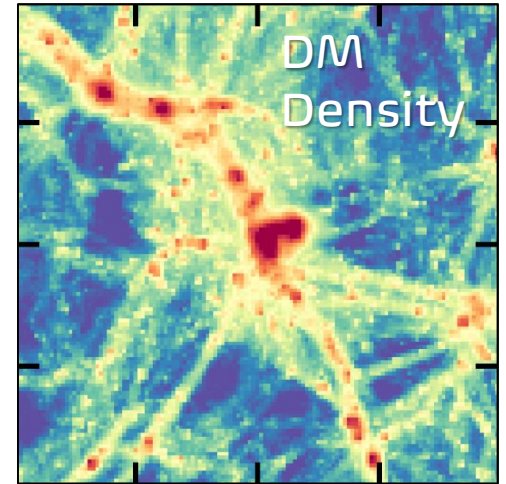
Input Layer

(2, 128, 128, 128)



Output Layer

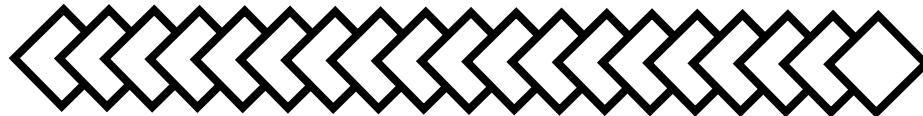
(1, 128, 128, 128)



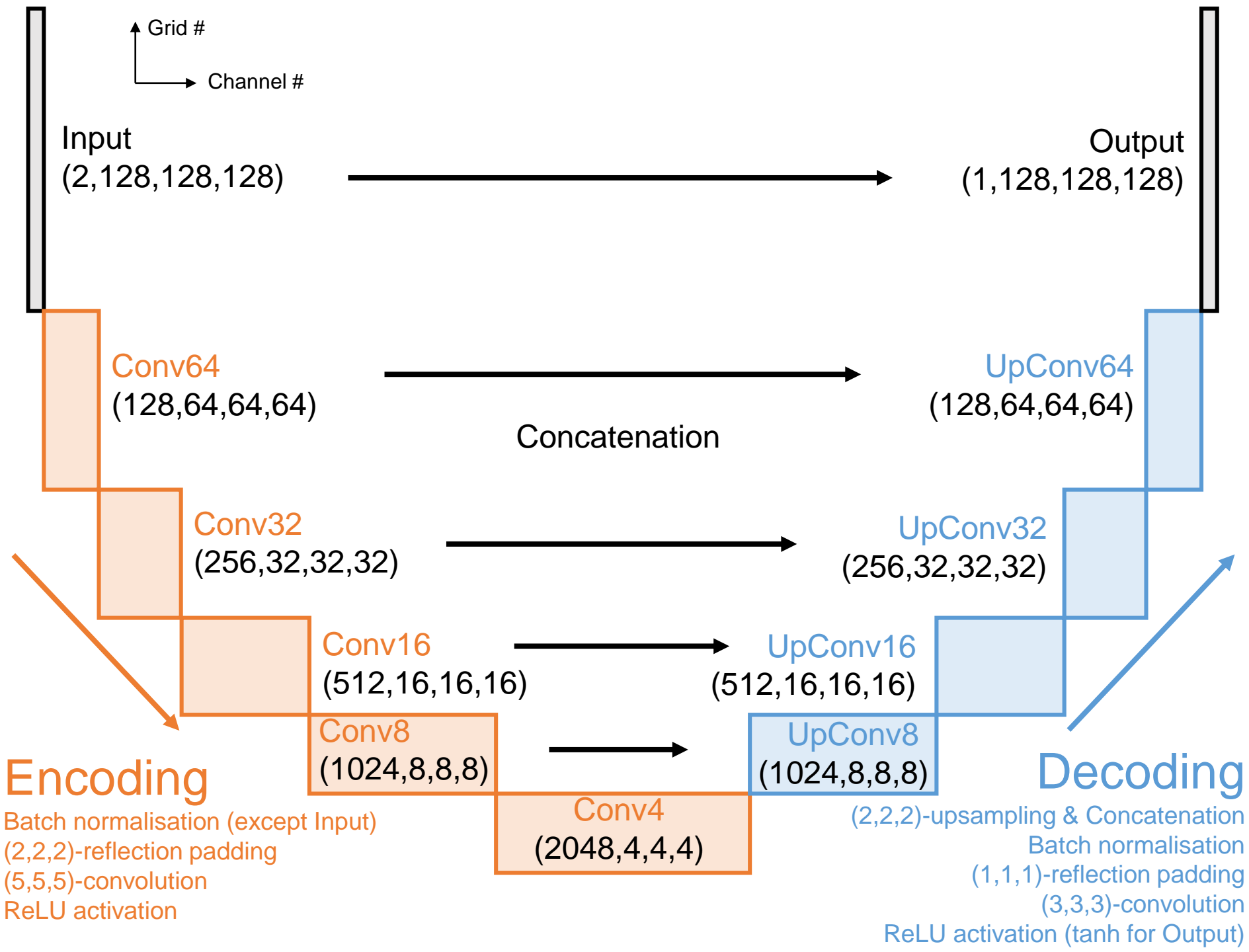
Concatenation

Multiple layers of
- Conv. 5 x 5

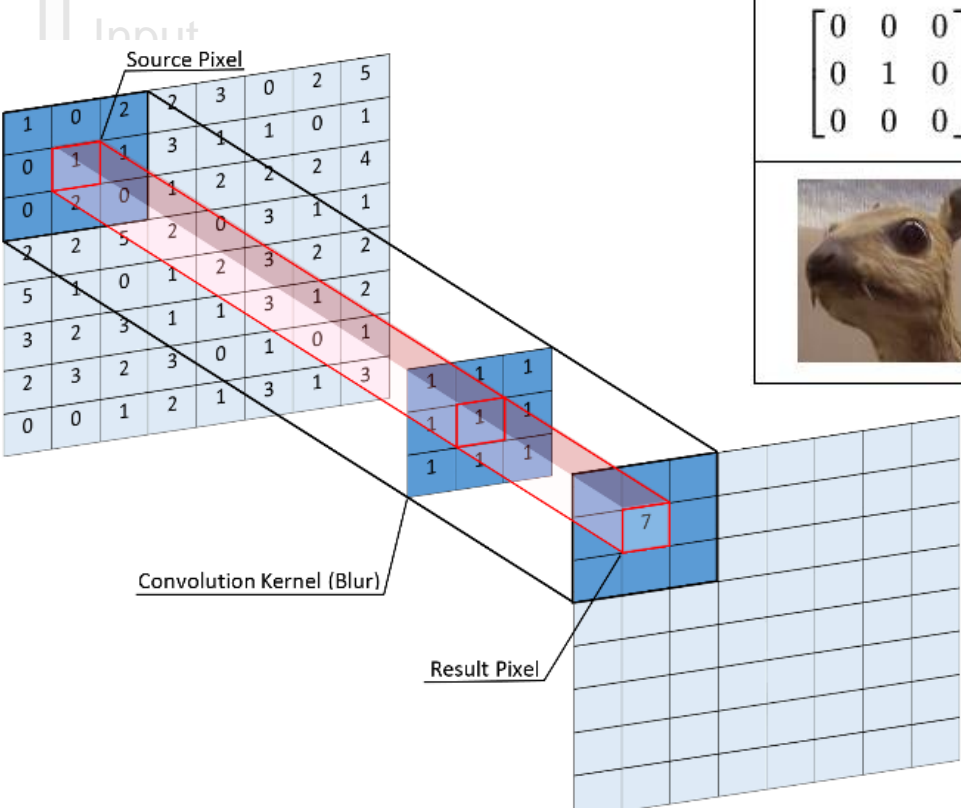
Multiple layers of
- Upsampling
- Conv. 3 x 3



(2048, 4, 4, 4)



Grid #
Channel #



Original	Gaussian Blur	Sharpen	Edge Detection
$\begin{bmatrix} 0 & 0 & 0 \\ 0 & 1 & 0 \\ 0 & 0 & 0 \end{bmatrix}$	$\frac{1}{16} \begin{bmatrix} 1 & 2 & 1 \\ 2 & 4 & 2 \\ 1 & 2 & 1 \end{bmatrix}$	$\begin{bmatrix} 0 & -1 & 0 \\ -1 & 5 & -1 \\ 0 & -1 & 0 \end{bmatrix}$	$\begin{bmatrix} -1 & -1 & -1 \\ -1 & 8 & -1 \\ -1 & -1 & -1 \end{bmatrix}$

© GIMP

Extract Features

Encoding

- Batch normalisation (except Input)
- (2,2,2)-reflection padding
- (5,5,5)-convolution
- ReLU activation

Conv8
(1024,8,8,8)

Conv4
(2048,4,4,4)

UpConv8
(1024,8,8,8)

UpConv32
(256,32,32,32)

Decoding

- (2,2,2)-upsampling & Concatenation
- Batch normalisation
- (1,1,1)-reflection padding
- (3,3,3)-convolution
- ReLU activation (tanh for Output)



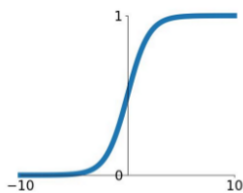
Input
(28, 28, 1)

Output
(128)

Activation Functions

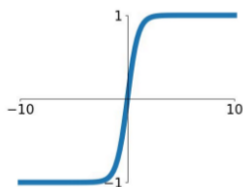
Sigmoid

$$\sigma(x) = \frac{1}{1+e^{-x}}$$



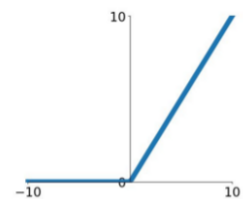
tanh

$$\tanh(x)$$



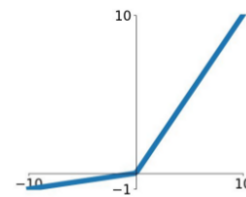
ReLU

$$\max(0, x)$$



Leaky ReLU

$$\max(0.1x, x)$$

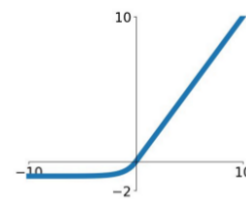


Maxout

$$\max(w_1^T x + b_1, w_2^T x + b_2)$$

ELU

$$\begin{cases} x & x \geq 0 \\ \alpha(e^x - 1) & x < 0 \end{cases}$$



Add Nonlinearity

Encoding

- Batch normalisation (except Input)
- (2,2,2)-reflection padding
- (5,5,5)-convolution

ReLU activation

(512, 16, 16, 16)
Conv8
(1024, 8, 8, 8)

Conv4
(2048, 4, 4, 4)

(512, 16, 16, 16)
UpConv8
(1024, 8, 8, 8)

- (2,2,2)-upsampling & Concatenation
- Batch normalisation
- (1,1,1)-reflection padding
- (3,3,3)-convolution

ReLU activation (tanh for Output)

Decoding

Method: UNet-like CNN

- Number of independent centers

- Training: 10,629
- Validation: 1,256

- Loss function

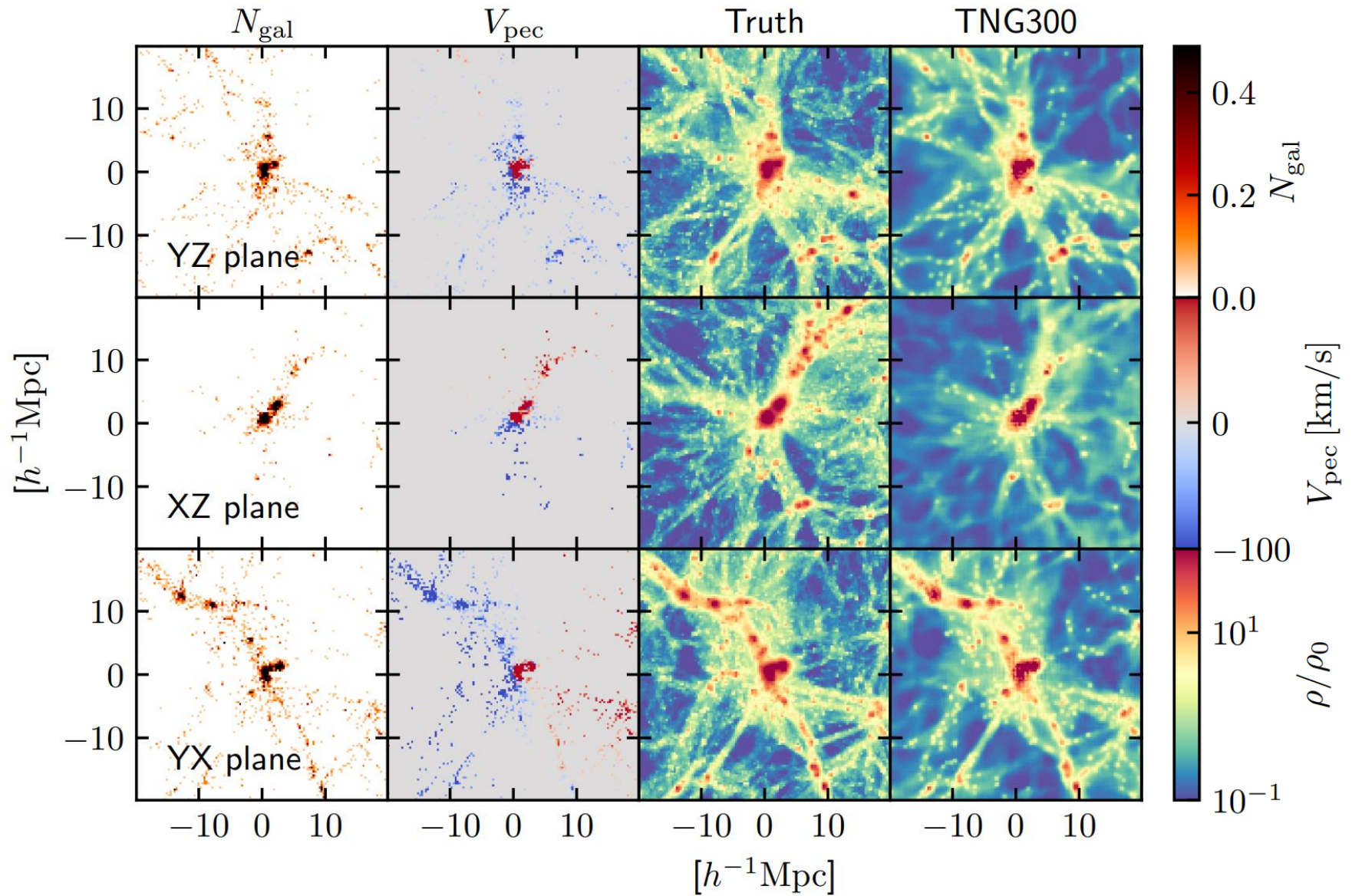
$$\mathcal{L} \propto \sum (\log_{10} \rho_{\text{truth}} - \log_{10} \rho_{\text{pred}})^2$$

- Tool : Tensorflow 2 / Keras

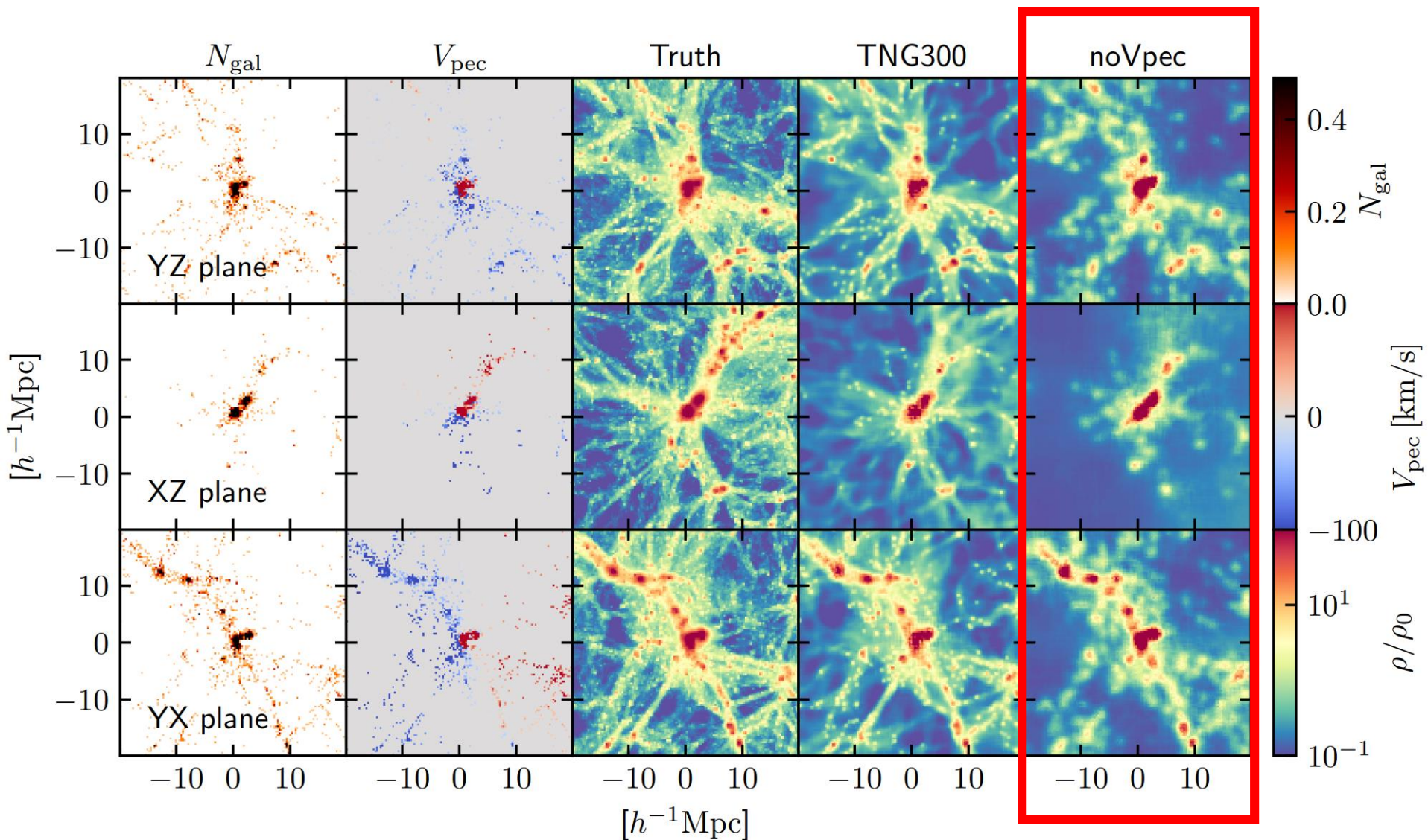
- 200~400 epochs; 3~4 days w/ NVIDIA Tesla V100(s)



Performance Test



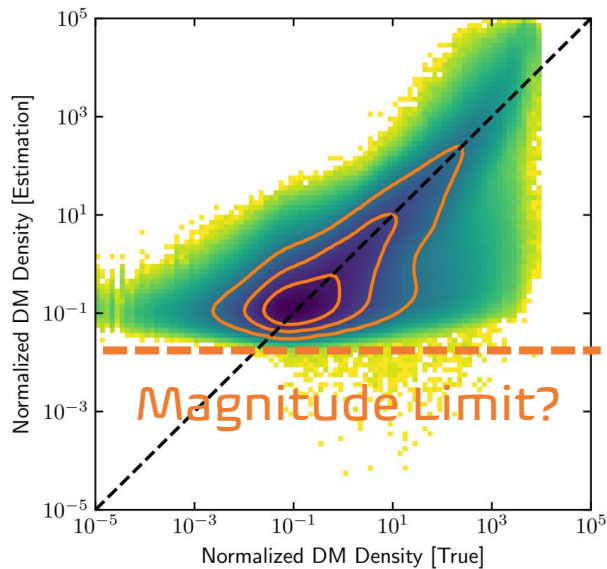
Cf) Training without Peculiar Velocity



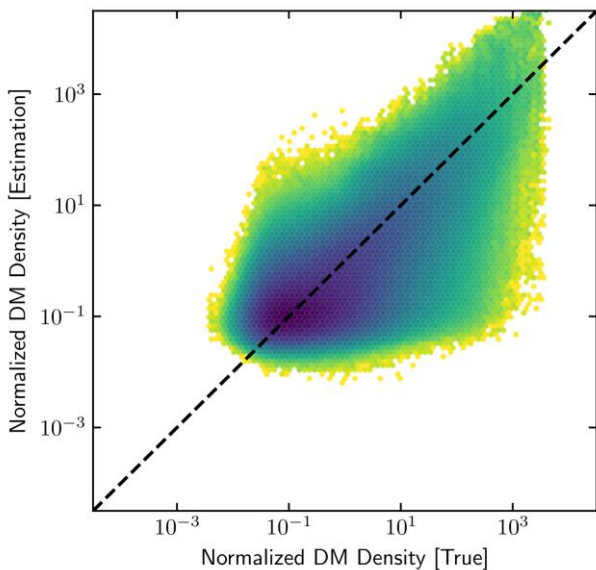
Performance Test

TNG300-1

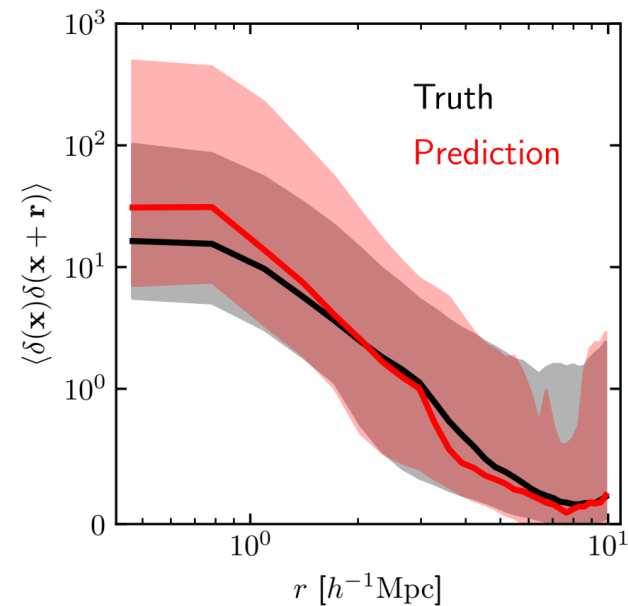
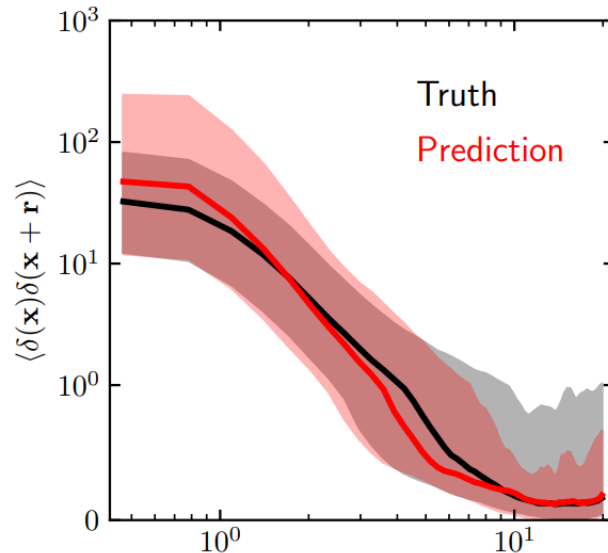
Pixel-to-Pixel



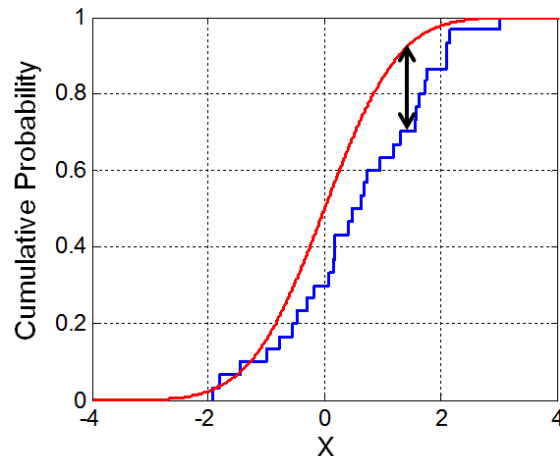
Cf) EAGLE
(Different Hydrodynamics)



Two-point Correlation Function



Performance Test



Different magnitude cut

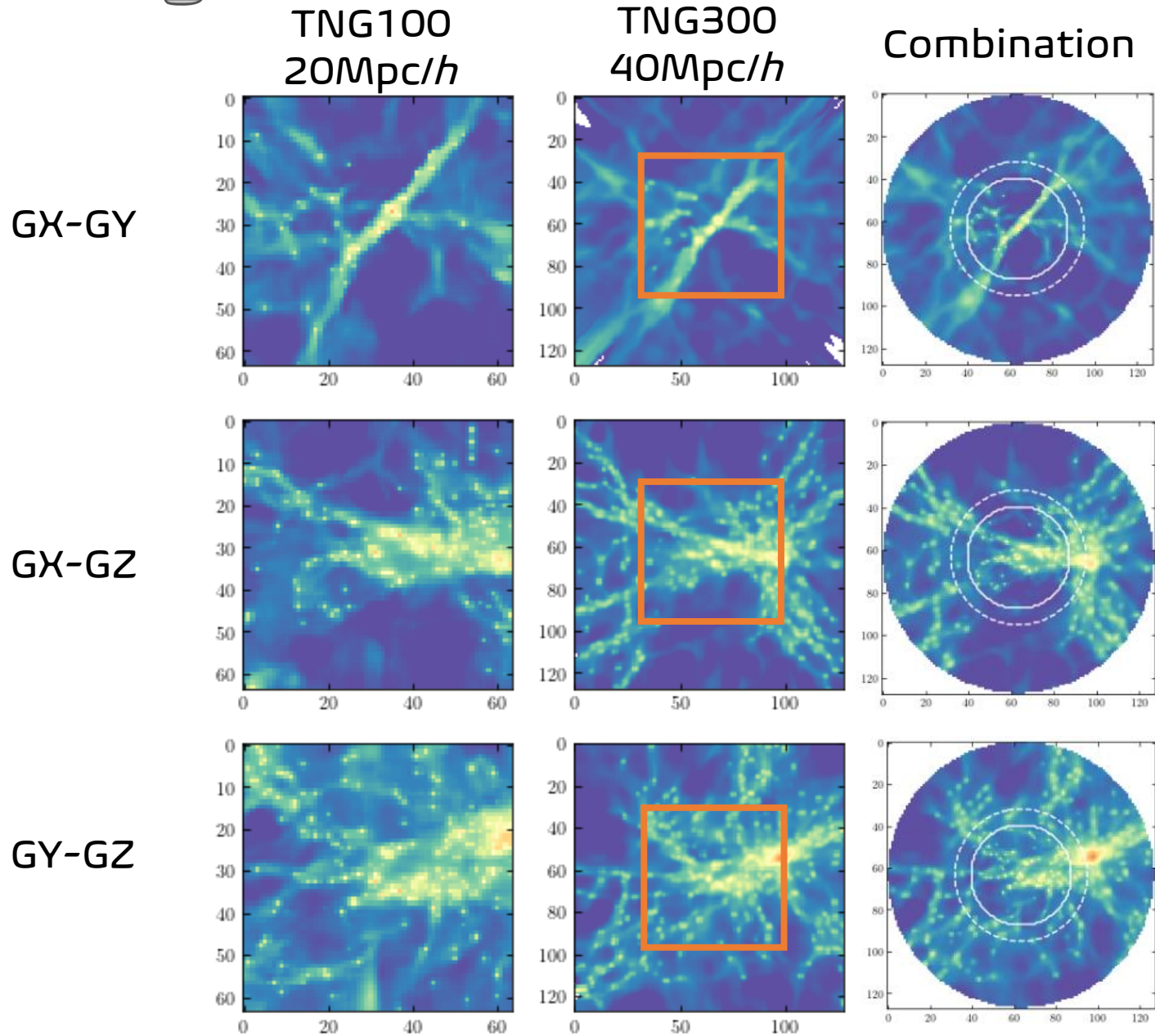
Model	$\log_{10}(\rho_{\text{pred}}/\rho_{\text{truth}})$	$\text{KS}(\xi_{\text{pred}}, \xi_{\text{truth}})$		
		0 – 1 Mpc/h	1 – 3 Mpc/h	3 – 10 Mpc/h
TNG100	-0.014 ± 0.543	0.263 ± 0.035	0.175 ± 0.087	0.130 ± 0.042
EAGLE-TNG100	$+0.129 \pm 0.491$	0.171 ± 0.055	0.152 ± 0.047	0.149 ± 0.040
TNG300	-0.020 ± 0.451	0.153 ± 0.035	0.134 ± 0.040	0.163 ± 0.017
16mag	-0.008 ± 0.468	0.109 ± 0.010	0.161 ± 0.033	0.254 ± 0.016
17mag	$+0.017 \pm 0.481$	0.143 ± 0.037	0.168 ± 0.018	0.251 ± 0.019
noVpec	$+0.016 \pm 0.481$	0.367 ± 0.115	0.407 ± 0.061	0.170 ± 0.036
stellarMass	-0.050 ± 0.471	0.186 ± 0.056	0.218 ± 0.016	0.269 ± 0.021
DMhalo	$+0.002 \pm 0.481$	0.264 ± 0.029	0.243 ± 0.030	0.263 ± 0.034

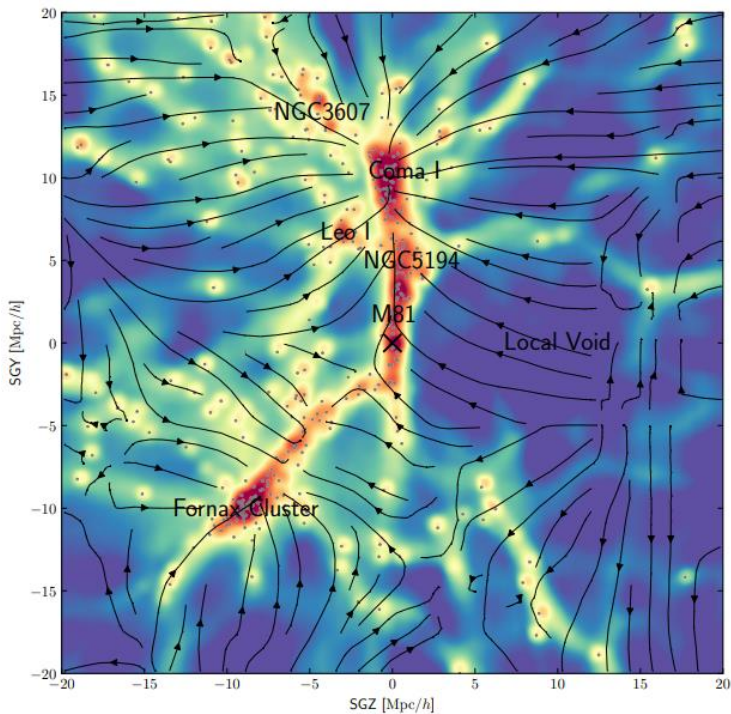
Without peculiar velocity

Stellar mass, instead of galaxy number, as input

Dark matter-only simulation

Convergence Test: Local Universe

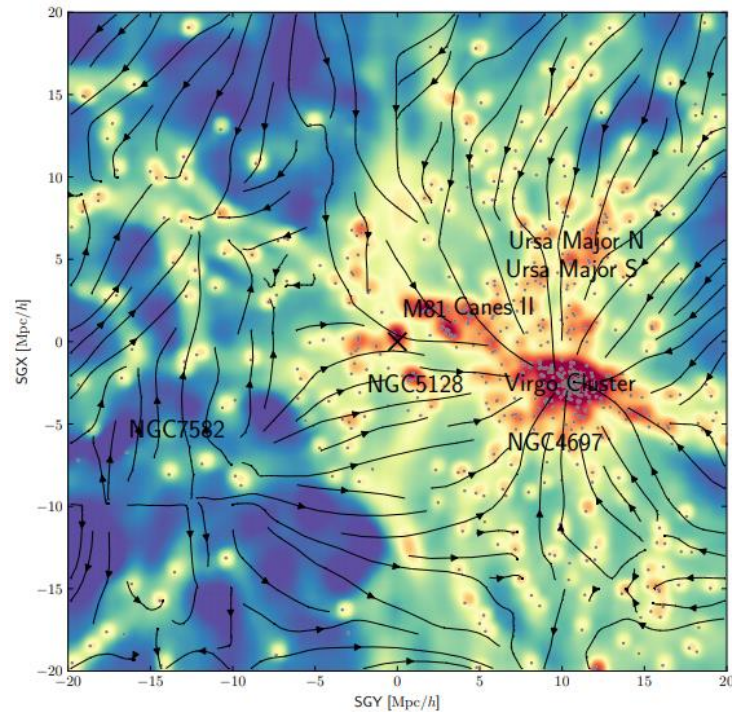
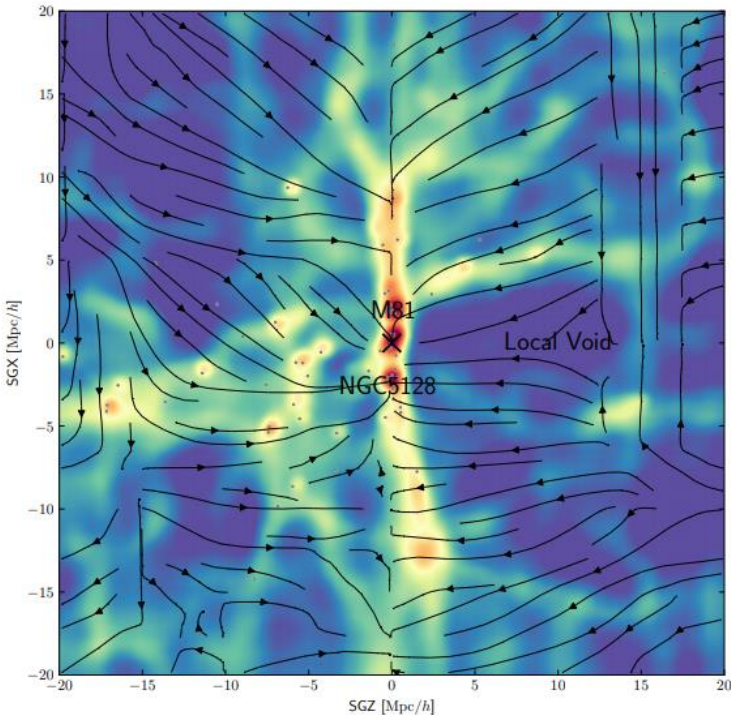


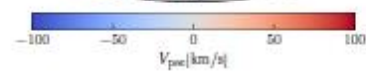
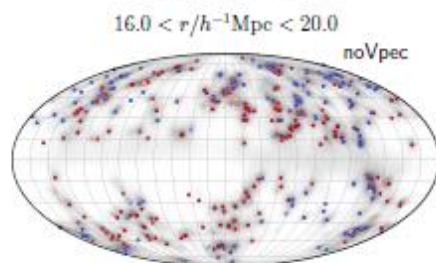
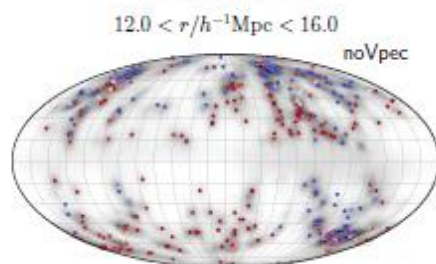
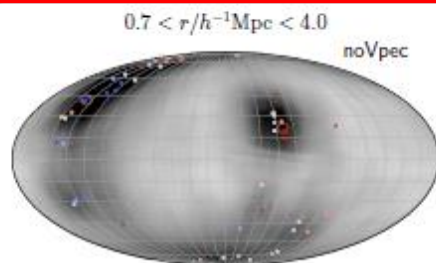
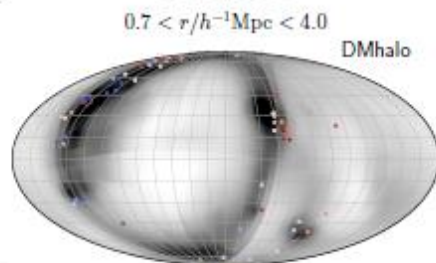
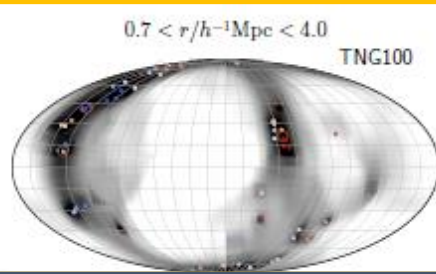
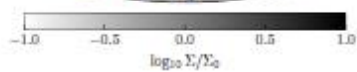
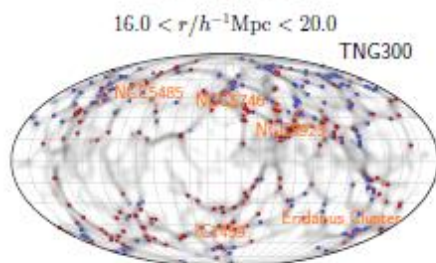
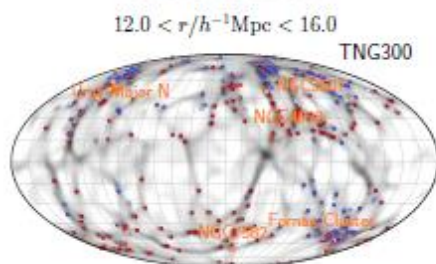
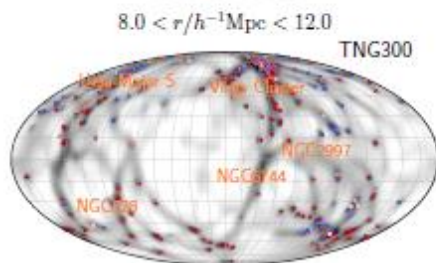
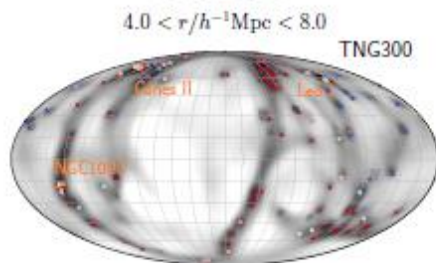
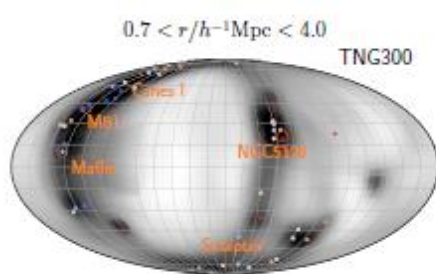


Color: DM Density

Arrows: Gradient of Grav. Potential

Thickness: $4 \text{ Mpc}/h$





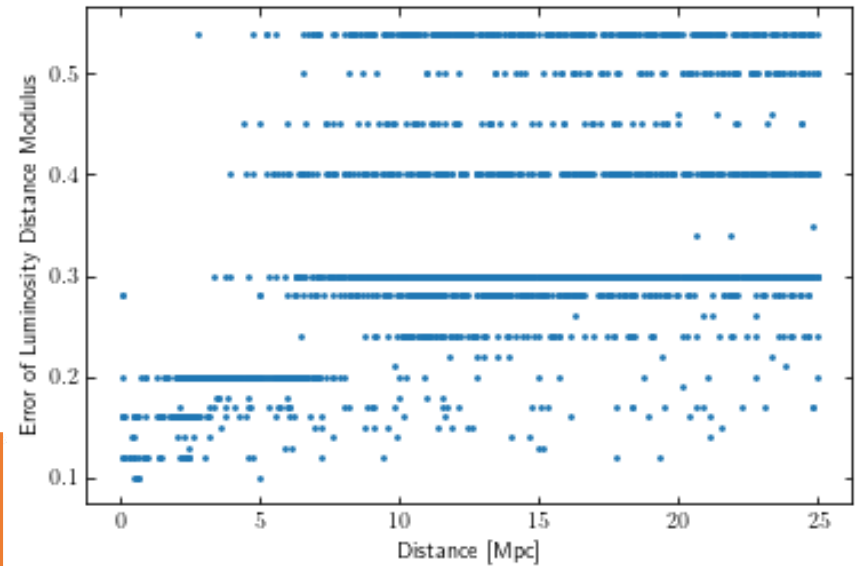
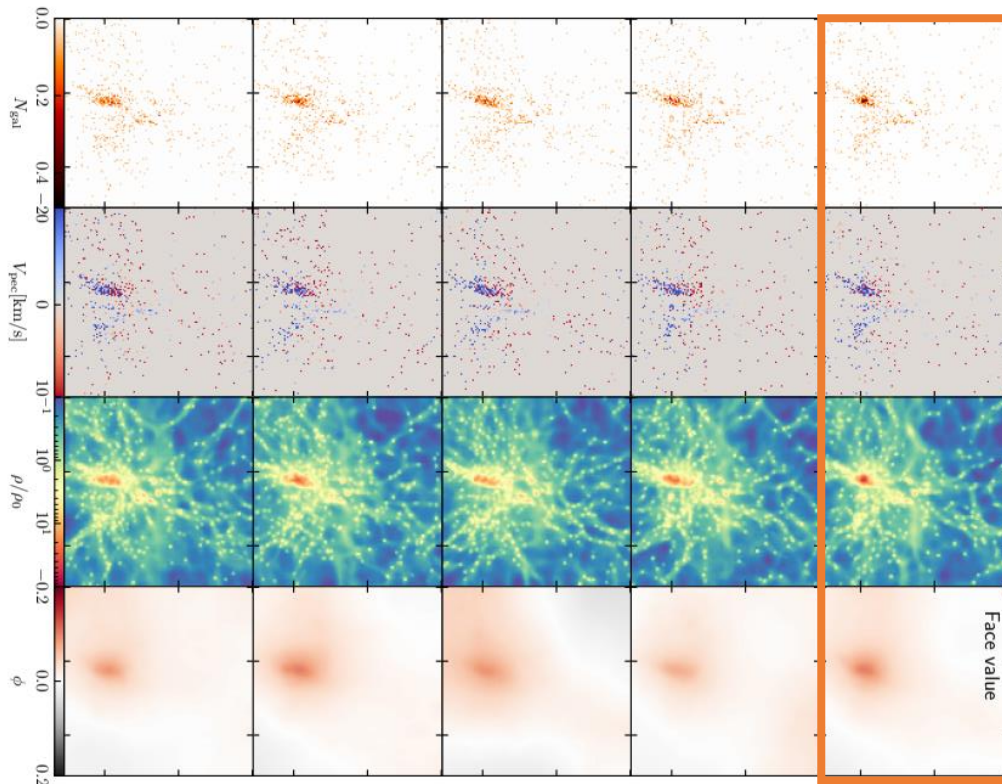
TNG100-1
High-resolution
& Low-volume

TNG300-1-Dark
DM-only
Simulation

Reconstruction
without using
Peculiar
Velocity

Stress Test: Adding Distance Error

Cosmicflows-3 has
0.1~0.5 of 1σ error of
luminosity distance modulus
→ 5~30% of distance error



Create 1,000 sets of
Cosmicflows-3 catalogues by
applying normal random
distribution of luminosity
distance modulus.

Recalculate peculiar velocity
with new distance.

Radial Bin

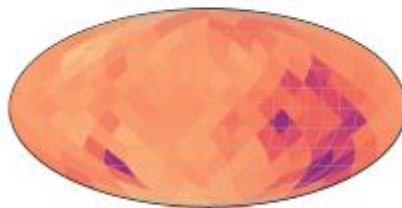
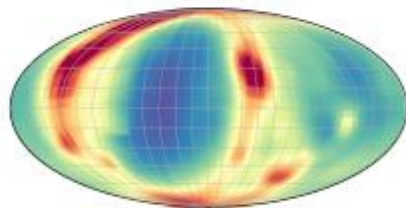
Mean
 $0.7 < r/h^{-1}\text{Mpc} < 4.0$

Standard Deviation
 $0.7 < r/h^{-1}\text{Mpc} < 4.0$

DM-only Systematics
 $0.7 < r/h^{-1}\text{Mpc} < 4.0$

Average SNR

$0.7 \sim 4 \text{Mpc}/h$



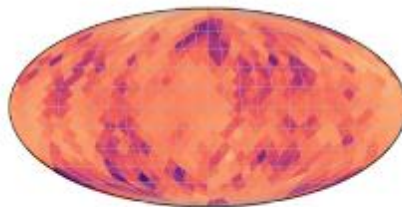
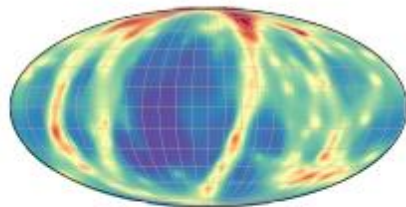
4.97σ

$4 \sim 8 \text{Mpc}/h$

$4.0 < r/h^{-1}\text{Mpc} < 8.0$

$4.0 < r/h^{-1}\text{Mpc} < 8.0$

$4.0 < r/h^{-1}\text{Mpc} < 8.0$



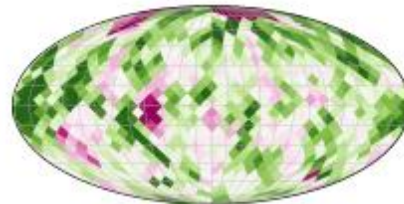
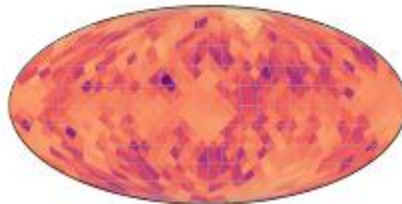
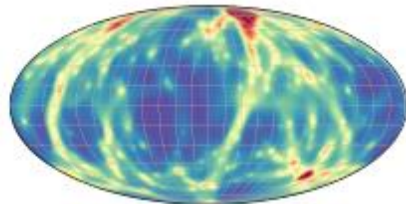
4.44σ

$8 \sim 12 \text{Mpc}/h$

$8.0 < r/h^{-1}\text{Mpc} < 12.0$

$8.0 < r/h^{-1}\text{Mpc} < 12.0$

$8.0 < r/h^{-1}\text{Mpc} < 12.0$



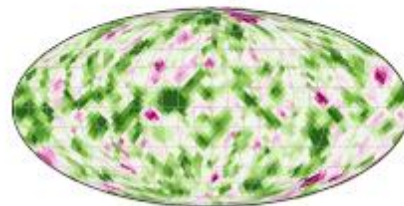
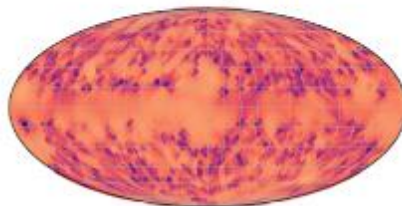
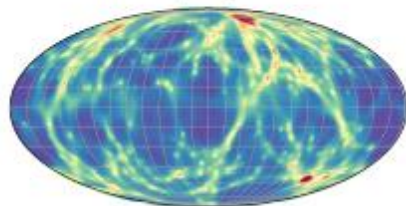
4.65σ

$12 \sim 16 \text{Mpc}/h$

$12.0 < r/h^{-1}\text{Mpc} < 16.0$

$12.0 < r/h^{-1}\text{Mpc} < 16.0$

$12.0 < r/h^{-1}\text{Mpc} < 16.0$



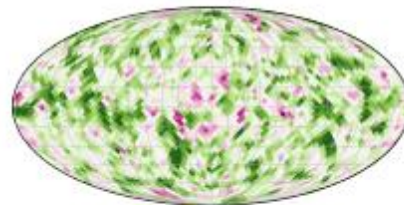
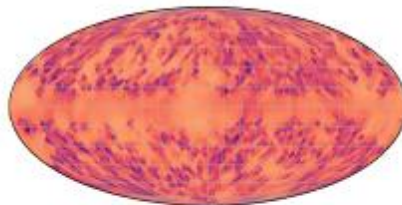
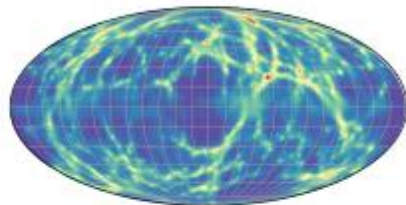
4.82σ

$16 \sim 20 \text{Mpc}/h$

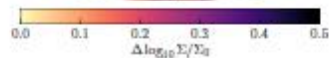
$16.0 < r/h^{-1}\text{Mpc} < 20.0$

$16.0 < r/h^{-1}\text{Mpc} < 20.0$

$16.0 < r/h^{-1}\text{Mpc} < 20.0$



5.02σ

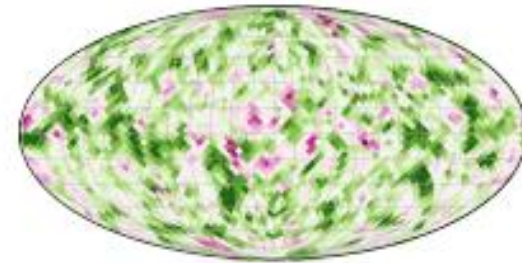
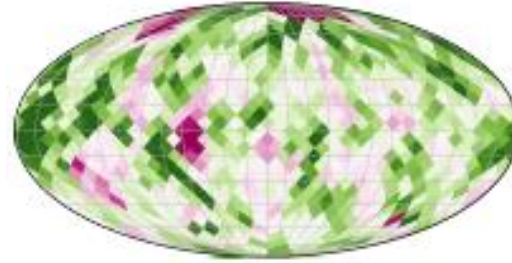


On-sky Average Systematics

Different assumption on the Hubble parameter: $H_0 = 75$ km/s/Mpc

$$\Delta_{\text{sys}} \equiv \frac{|\log_{10} \Sigma - \log_{10} \Sigma_{\text{TNG300}}|}{\Delta \log_{10} \Sigma_{\text{TNG300}}}$$

Comparison Model	0.7 – 4 Mpc/h	4 – 8 Mpc/h	8 – 12 Mpc/h	12 – 16 Mpc/h	16 – 20 Mpc/h
TNG100	2.281 (1.837 ^{+1.993} _{-1.104})	1.474 (1.196 ^{+1.414} _{-0.842})	-	-	-
diffH0	0.212 (0.171 ^{+0.223} _{-0.115})	0.162 (0.133 ^{+0.148} _{-0.092})	0.154 (0.116 ^{+0.161} _{-0.083})	0.152 (0.117 ^{+0.153} _{-0.082})	0.160 (0.128 ^{+0.151} _{-0.092})
16mag	1.032 (0.949 ^{+0.748} _{-0.647})	1.093 (0.868 ^{+1.089} _{-0.611})	0.862 (0.716 ^{+0.729} _{-0.508})	0.785 (0.641 ^{+0.751} _{-0.455})	0.804 (0.631 ^{+0.790} _{-0.443})
17mag	1.178 (0.901 ^{+1.081} _{-0.572})	1.105 (0.889 ^{+1.026} _{-0.621})	1.001 (0.815 ^{+0.947} _{-0.575})	0.887 (0.726 ^{+0.862} _{-0.502})	0.898 (0.734 ^{+0.833} _{-0.506})
noVpec	1.935 (1.715 ^{+1.919} _{-1.359})	1.105 (0.834 ^{+1.120} _{-0.631})	0.943 (0.701 ^{+0.890} _{-0.524})	0.828 (0.672 ^{+0.751} _{-0.470})	0.750 (0.626 ^{+0.742} _{-0.440})
stellarMass	1.544 (1.256 ^{+1.435} _{-0.843})	1.175 (0.946 ^{+1.156} _{-0.684})	0.925 (0.734 ^{+0.909} _{-0.521})	0.877 (0.692 ^{+0.837} _{-0.485})	0.907 (0.713 ^{+0.899} _{-0.490})
DMhalo	1.737 (1.154 ^{+2.253} _{-0.863})	1.445 (1.127 ^{+1.414} _{-0.816})	1.176 (0.913 ^{+1.097} _{-0.610})	1.057 (0.846 ^{+1.029} _{-0.595})	0.957 (0.796 ^{+0.889} _{-0.574})



Summary

- **Deep Learning** can reconstruct DM density & potential of the Local Universe from galaxy distribution.
→ Possibility of future detailed constrained simulation
- Our result is **consistent** with different boxsizes & simulation setups.
- Even with distance measurement error, the 2D projection shows reasonable mapping with average signal-to-ratio **4.8σ** .
- Using **peculiar velocity** is crucial for reconstructing a few Mpc-scale Cosmic Web.
- **Deep & complete galaxy survey** of Local Universe is mandatory for better prediction of underdense region.